

Bellwork Geo Monday, February 10, 2020

Use coordinate geometry to find the most precise name for each quadrilateral.

1. Quadrilateral $EFGH$

$E(7,4)$

$F(-1,-2)$

$G(-2,2)$

$H(2,5)$

2. Quadrilateral $WXYZ$

$W(-4,3)$

$X(5,6)$

$Y(7,0)$

$Z(-2,-3)$

Use coordinate geometry to find the most precise name for each quadrilateral.

1. Quadrilateral EFGH

$E(7,4)$

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midpts of diagonals

$EG: \left(\frac{7+(-2)}{2}, \frac{4+2}{2} \right) = \left(\frac{5}{2}, 3 \right)$

$FH: \left(\frac{-1+2}{2}, \frac{-2+5}{2} \right) = \left(\frac{1}{2}, \frac{3}{2} \right)$

Not a ||-gram b/c
diagonals don't bisect each other.

Slope of sides

$EF \ m = \frac{4-(-2)}{7-(-1)} = \frac{6}{8} = \frac{3}{4}$

$FG \ m = \frac{2-(-2)}{-2-(-1)} = \frac{4}{-1} = -4$

$GH \ m = \frac{5-2}{2-(-2)} = \frac{3}{4}$

$HE \ m = \frac{5-4}{2-7} = \frac{1}{-5}$

EFGH is a trapezoid
b/c 1 pair sides is parallel

Length of non-|| sides (legs)

$$\begin{aligned} FG &= \sqrt{(-1-(-2))^2 + (-2-2)^2} \\ &= \sqrt{1^2 + (-4)^2} \\ &= \sqrt{17} \end{aligned}$$

$$\begin{aligned} HE &= \sqrt{(7-2)^2 + (4-5)^2} \\ &= \sqrt{5^2 + (-1)^2} \\ &= \sqrt{26} \end{aligned}$$

Not an Isosceles trapezoid
because legs are not $\cong$

EFGH IS A
TRAPEZOID

2. Quadrilateral WXYZ

$W(-4,3)$

$X(5,6)$

$Y(7,0)$

$Z(-2,-3)$

midpts of diagonals

$WY: \left(\frac{7+(-4)}{2}, \frac{0+3}{2} \right) = \left(\frac{3}{2}, \frac{3}{2} \right)$

$XZ: \left(\frac{5+(-2)}{2}, \frac{6+(-3)}{2} \right) = \left(\frac{3}{2}, \frac{3}{2} \right)$

WXYZ is a ||-gram b/c
diag bisect each other

Slope of diagonals

$WY \ m = \frac{3-0}{-4-7} = \frac{3}{-11}$

$XZ \ m = \frac{6-(-3)}{5-(-2)} = \frac{9}{7}$

WXYZ is not a Rhombus
b/c diagonals not $\perp$

Length of diagonals

$$\begin{aligned} WY &= \sqrt{(7-(-4))^2 + (0-3)^2} \\ &= \sqrt{11^2 + (-3)^2} = \sqrt{130} \end{aligned}$$

$$\begin{aligned} XZ &= \sqrt{(5-(-2))^2 + (6-(-3))^2} \\ &= \sqrt{7^2 + 9^2} = \sqrt{130} \end{aligned}$$

WXYZ is a Rectangle b/c
diagonals are $\cong$

WXYZ is
a Rectangle