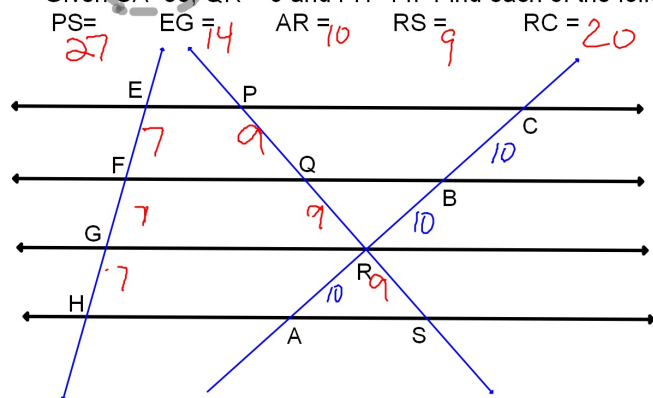


The four black lines are parallel and $EF=FG=GH$

Given $CA=30$, $QR=9$ and $FH=14$. Find each of the following:



2. Show that ABCD is a Parallelogram by showing that opposite sides are parallel.

A(5,-4) B(1,-5) C(4,-2) D(8,-1)

Slope

AB $\frac{1}{4} //$

BC $\frac{3}{3} //$

AB \parallel CD and BC \parallel DA
so both pair of opposite sides
are parallel.

CD $\frac{1}{4} //$

DA $\frac{3}{3} //$



3. Show that EFGH is a Parallelogram by showing that opposite sides are congruent.

E(5,-3) F(-1,10) G(-3,7) H(3,-6)

Distance

EF $\sqrt{6^2 + 13^2} = \sqrt{205}$

FG $\sqrt{2^2 + 3^2} = \sqrt{13}$ $\overline{FG} \cong \overline{HE}$

GH $\sqrt{6^2 + 13^2} = \sqrt{205}$ $\overline{EF} \cong \overline{GH}$

HE $\sqrt{2^2 + 3^2} = \sqrt{13}$ This shows that both
pair of opposite sides
are congruent.



4. Show that JKLM is a Parallelogram by showing that diagonals bisect each other.

J(-4,-3) K(6,-5) L(-1,4) M(-11,6)

Midpoint

JL $\left(\frac{-5}{2}, \frac{1}{2} \right)$

Diagonals have the same
midpoint which means that
they bisect each other.

KM $\left(\frac{-5}{2}, \frac{1}{2} \right)$

5. Show that WXYZ is a Parallelogram by showing that one pair of opposite sides are both parallel and congruent.

W(3,1)

X(9,6)

Y(8,7)

Z(2,2)

	Slope ✓	Distance ✓
WX	$\frac{6-1}{9-3} = \frac{5}{6}$	$\sqrt{5^2 + 6^2} = \sqrt{61}$
YZ	$\frac{7-2}{8-2} = \frac{5}{6}$	$\sqrt{5^2 + 6^2} = \sqrt{61}$