Good Definitions:

- Clearly understood
- Precise
- Makes a true Biconditional.

(Good definitions are reverseible)

Is this a good definition of Parallel Lines?

Two lines are parallel iff they don't intersect

Write the two conditionals that form this bicondional

- 1. If two lines are parallel, then they don't intersect.
- 2. If two lines don't intersect, then they are paralle. Fake lines could skew

Are they both true?

Is this a good definition of a square?

A figure is a square iff it has four right angles.

Write the two conditionals that make up this biconditional

If a figure is a square, then it has four right angles.

If a figure has four right angles, then it is a square. Take be a size is is not a good definition of a square because one of the This is not a good definition of a square because one of the conditionals is false!

No, one of the conditionals is false

Write a good definition of a square as a biconditional.

A figure is a square if and only if... $14 \log 4 \cong 51 \deg 4 \%$

Is this biconditional true?

It's July if and only if it's Summer time.

Write the two conditionals that make up this biconditional

If it's July, then it's July False, It could be Aug

Congruent figures have the same shape.

1. Write this statement as a biconditional

Figures are congruent if and only if they have the same shape

2. Is this a good definition of Congruent Figures?

Is the biconditional true?

No because A the could have different Size > similar

IF a measure is greater than 90 than 15 an obstuse < 2. Use the conditional and its converse to write a biconditional.

The angle is obtuse if + only if its measure is greater than 90°
3. Is the biconditional true?

false it could be a straight 2

Is this biconditional true?

A figure is a rectangle iff its opposite sides are congruent.

Rect -> OPP sides ? V

OPP sides ? -> Rect

False, figure III

(ould be 11-gram

You can now complete Hwk #7.

Solve each equation:

$$1. \qquad \frac{4}{x} \bowtie \frac{15}{21}$$

$$9 - 3(x + 4) = -21$$

$$9 + (-3x + (-1)) = -31$$

$$-3 = -\frac{21}{-3}$$

$$-3 \times \frac{2}{-3} = -\frac{18}{-3}$$

$$\frac{x+6}{3} = -21/3$$

$$\begin{array}{c}
x+4 = 10 \\
-9 - 3(x+4) = -21 \\
-9 - 3(x+4) = -30
\end{array}$$

$$\frac{3Q = -M}{3}$$

$$3 - \frac{4}{7}m = -9$$

In geometry you accept postulates and properties as true. You use deductive reasoning to prove other statements. Some of the properties that you accept as true are the properties of equality from algebra. They are listed below in terms of any numbers a, b, and c.

Summary	roperties of Equality
Addition Property	If $a = b$, then $a + c = b + c$.
Subtraction Propert	If $a = b$, then $a - c = b - c$.
Multiplication Prope	If $a = b$, then $a \cdot c = b \cdot c$.
Division Property	If $a = b$ and $c \neq 0$, then $\frac{a}{c} = \frac{b}{c}$.
Reflexive Property	a = a
Symmetric Property	If $a = b$, then $b = a$.
Transitive Property	If $a = b$ and $b = c$, then $a = c$.
Substitution Proper	If $a = b$, then b can replace a in any expression.

You also assume that other properties from algebra are true.

The Distributive Property

a(b+c) = ab + ac

Solve this equation. Justify the steps. 5x + 3 = -12

Steps	Reasons		
5x+3=-12	Given		
5x+3-3=-12-3	Subt Prop =		
5x =-15	Simplify		
5x = -15	: prop =		
X=-3	Simplify		

Solve this equation. Justify the steps. 6 + 2(3x + 1) = 38

$$\frac{\text{Steps}}{6+2(3x+1)-38}$$

$$\frac{6+2(3x+1)-38}{6 \text{ Non}}$$

$$\frac{6 \text{ Non}}{6 \text{ Non}}$$

$$\frac{2(3x+1)-6=38-6}{2(3x+1)=32}$$

$$\frac{6 \text{ Non}}{6 \text{ Non}}$$

$$\frac{6 \text$$