The number of cells of a bacteria doubles every 40 minutes. There was 24 cells at 10:00 am. Find the number of cells at the given times, the same day.

$$a = 24$$
 cells $b = 2$ $x = \#$ of 40 min periods

a) Noon.

$$x = 120 \div 40 = 3$$

$$y = 24(2)^3 = 192$$
 cells

b) 5:00 pm.

10:00 am to 5:00 pm is 7 hours.
7 hours =
$$(7)(60)$$
 = 420 minutes

$$x = 420 \div 40 = 10.5$$

$$y = 24(2)^{10.5} = 34,756$$
 cells

The half-life of a certain medicine is 80 minutes. A patient was given a 200mg dose of at 6:00am. Find the amount of medicine in the patients system at the following times. Round to the nearest hundredth. a = 200mg b = 0.5 x = # of 80 min periods

a) 11:00 am.

$$x = 300 \div 80 = 3.75$$

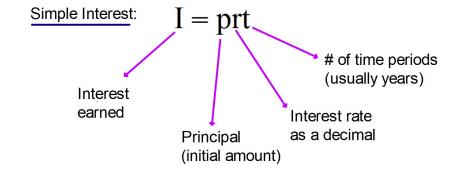
$$y = 200(0.5)^{3.75} = 14.87 \text{ mg}$$

$$x = 570 \div 80 = 7.125$$

$$y = 200(0.5)^{7.125} = 1.43 \text{ mg}$$

Simple Interest:

You only earn interest in the initial amount you invested.



You invest \$10,000 in an account that pays 8% annual interest.

How much will you have after 10 years if you only get simple interest?

T = [0000(.08)(10)]Interest earned = 8000

Total amount after 10 years = Principal + Interest = 10,000 + 8,000 = \$18,000

Compounding Interest: earning interest on the interest.

You invest \$10,000 in an account that pays 8% annual interest.

How much will you have after 10 years if interest is compounded annually?

end of 1st year you'll have: 10,000(1.08) end of 2nd year you'll have: 10,000(1.08)(1.08) end of 3rd year you'll have: 10,000(1.08)(1.08)(1.08)

This is basic exponential growth. After 10 years you'll have: $10,000(1.08)^{10} = \$21,589.25$

You invest \$10,000 in an account that pays 8% annual interest.

How much more will you have after 20 years if interest is compounded annually versus simple interest?

Simple Interest: 10,000 + 10,000(.08)(20)=\$26,000

Compounded Interest: $10,000(1.08)^{20} = $46,609.57$

What if you compound interest more often than once a year (annually)?

The compound interest formula is an exponential model that is used to calculate the value of an investment when interest is compounded.

P = the initial principal invested

$$A = \frac{P}{1} \left(1 + \frac{r}{n}\right)^{nt}$$

r = annual interest rate, written as a decimal

n = number of compounding periods per year

A = the value of the account after t years

Example 2 Try It! Understanding Continuously Compounded Interest

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2. \$3,000 is invested in an account that earns 3% annual interest, compounded monthly.

 $P = 3000 \quad r = 0.03 \quad n = 12$

a. What is the value of the account after 10 years? t = 10

$$A = 3000(1+0.03/12)^{(12)(10)} = $4048.06$$

b. What is the value of the account after 100 years? t = 100

$$A = 3000(1+0.03/12)^{(12)(100)} = $60,031.45$$