

We are done with the material for
the next Test!

Topic 9/10 test will be on
Thursday, December 19, 2019

Hwk #39:

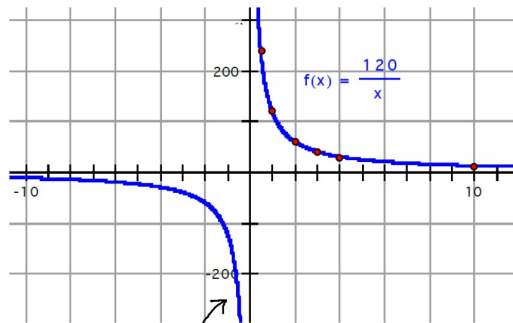
Due tomorrow

Practice Sheet: Review Topic 9/10

Agilemind Workbook:
Topic 9 - Rational Expressions and Functions

SAS1 - Overview - Question 1a,b

Hours to travel 120 miles	Process	Speed
2	$\frac{120 \text{ miles}}{2 \text{ hours}}$	60 mph
3	$120/3$	40
4	$120/4$	30
10	$120/10$	12
h	$120/h$	$120/h$



This is an example of a specific rational function called:

Inverse Variation

this branch wouldn't exist in the real situation but it is part of the function $y=120/x$ when you replace x with negative values.

Agilemind website - Topic 9 - Rational Expressions and Functions

Overview - page 1

Agilemind Workbook - Topic 9 - Rational Expressions and Functions

Overview

SAS 1 - Question #2 a-c

Answer to SAS 1 - Question #2 a-c

Agilemind website - Topic 9 - Rational Expressions and Functions

Overview - page 2 - panel 1

Agilemind Workbook - Topic 9 - Rational Expressions and Functions

Overview

SAS 1 - Question #3 a,b

Answer to SAS 1 - Question #3 a,b

Agilemind website - Topic 9 - Rational Expressions and Functions

Overview - page 2 - panels 2 & 3

SAS1 - Question #'s 4 & 5

Answer to SAS1 - Question # 4

Agilemind website - Topic 9 - Rational Expressions and Functions
Overview - page 3

SAS1 - Question # 5

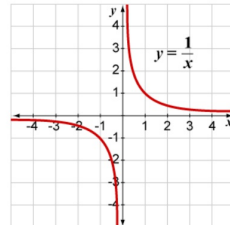
5. The function that models Terrence's grade is an example of what type of function? How is this type of function formed? [OV, page 4]

This is an example of a rational function, formed by the quotient of two polynomials.

$$y = \frac{3 + x}{20 + x}$$

SAS1 - Question #6

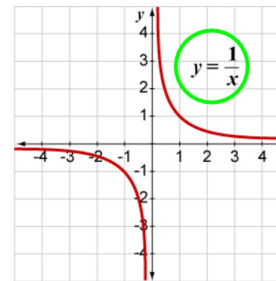
Parent Rational Function: $y = \frac{1}{x}$



Agilemind website - Topic 9 - Rational Expressions and Functions
Overview - page 4

This equation is sometimes referred to as the
Reciprocal Function.

This graph is called a **Hyperbola**.



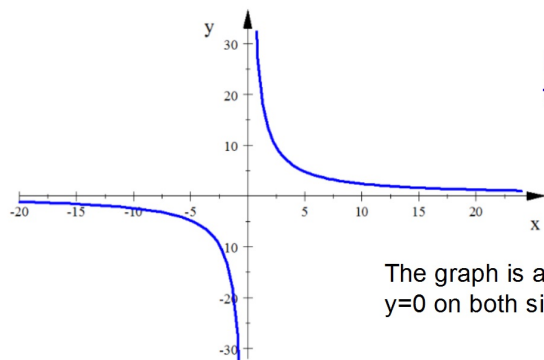
Why does this graph have two parts?

because the function is undefined when $x=0$, therefore, there is a break in the graph at that point.

The two parts of this graph are called **Branches**.

There are two lines the graph approaches as you move farther from the origin. These lines are called **Asymptotes**.

The branches of the Parent Reciprocal Function are located in "**Quadrants I and III**".



How would you describe
the end-behavior of this graph?

As $x \rightarrow \infty$, $y \rightarrow 0$

As $x \rightarrow -\infty$, $y \rightarrow 0$

The graph is approaching the horizontal line
 $y=0$ on both sides.

This graph has a
Horizontal Asymptote.