

Take out the Student Activity Sheet (SAS) from yesterday.

Answer Questions 2 and 3 on Page 1 of SAS1

2. What rule describes the family of exponential functions?

$$y = a(b)^x$$

3. What is the quadratic parent function:

$$y = x^2$$

## SAS pg 1

1. Some Key Characteristics of Linear, Exponential, and Quadratic Functions:

Linear	Exponential	Quadratic
Graph is a Line	Graph is a curve that inc OR decreases throughout.	Graph is a Parabola
Largest Exponent = 1	Exponent is X	Largest Exponent = 2
Eq for Linear Family: $y = mx + b$	Eq for Exponential Family: $y = a(b)^x$	Eq for Quadratic Family: $y = ax^2 + bx + c$
Eq of Parent Linear Function: $y = x$	Eq of Parent Exponential Function: $y = 2^x$	Eq of Parent Quadratic Function: $y = x^2$

**Function:** Below are some ways to think of what a function is:

- **A function is a special relationship where each input produces a single output.**
- In a function, one quantity depends on another in a consistent, and therefore predictable, way
- Give examples of two quantities that can be related to each other in a consistent, predictable way.

Animation on pg 1 of the Agile Mind website for Topic 1.  
(basketball shot)

pg 2 Agile Mind website

Answer question #4 on Page 1 of SAS 1

### 1. How can a function help you understand the basketball shot?

The graph of each function has its own shape. The graph of a Quadratic Function is a parabola which appears to be the shape the path of the basketball takes on its way to the basket. Therefore, a Quadratic Function can model the location and path of a basketball shot.

### 2. How can a function be used to make predictions?

When you substitute values for the independent variable a function "predicts" what is going to happen (what the output is).

### 3. How can a function be used to answer questions?

In the case of the basketball, if the function predicts the height as a function of how far away the ball is from the shooter you can answer questions such as, "How high will the basketball be when it's 8 feet away from the shooter".

### 4. Compare the rates of change of linear, quadratic, and exponential functions:

#### Rates of Change:

Linear	Exponential	Quadratic
<ul style="list-style-type: none"><li>• Pattern of constant addition</li><li>• When x inc by a constant amount, y also inc by a constant amount</li></ul>	<ul style="list-style-type: none"><li>• Pattern of constant multiplication</li><li>• When x inc by a constant amount the first difference in y is exponential.</li></ul>	<ul style="list-style-type: none"><li>• When x inc by a constant amount, the second difference in y is constant</li></ul>

Pg 3 panel 1 of animation on Agile Mind website

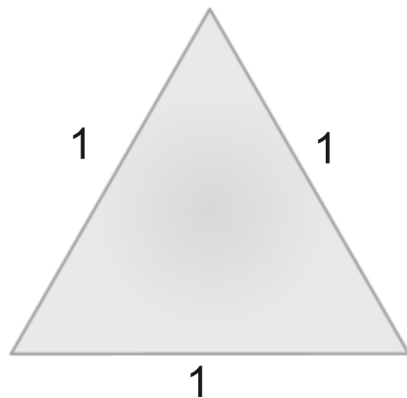



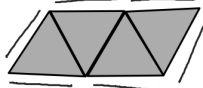


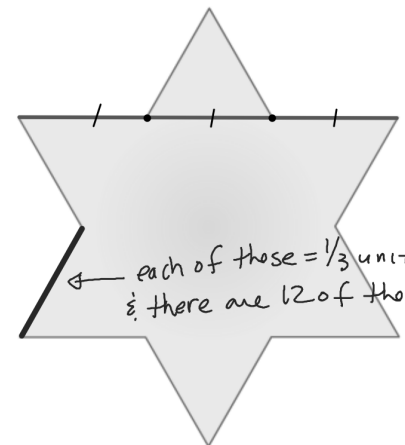
Figure number	Perimeter
1	3 units

Figure	SAS 1 pg 3	Perimeter
1		$P = 3$
2		$P = 4$
3		$P = 5$
4		$P = 6$

This table of Perimeters demonstrates what type of sequence?

Arithmetic

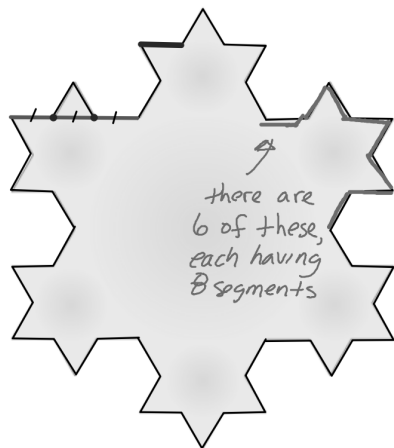
$$d = 1$$



Each short segment represents  $\frac{1}{3}$  of a the original side:  
 $\frac{1}{3}$  of a unit

Figure number	Perimeter
1	3 units
2	$\frac{12}{3}$ units = 4

$$\text{perimeter} = (12 \text{ segments}) \left( \frac{1}{3} \text{ unit each} \right) = \frac{12}{3}$$

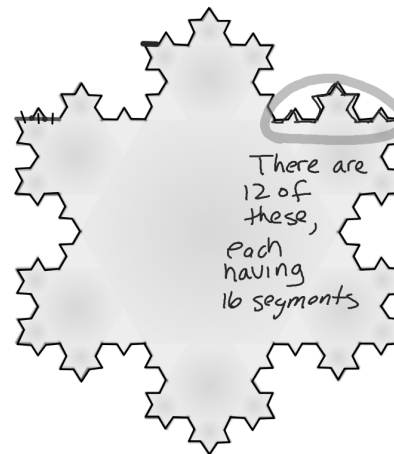


Each short segment represents  
 $\frac{1}{3}$  of  $\frac{1}{3} = \frac{1}{9}$  of a the original side:



Figure number	Perimeter
1	3 units
2	$\frac{12}{3}$ units = 4
3	$\frac{48}{9}$ units = $\frac{16}{3}$

# segments =  $6 \times 8 = 48$   
 each segment is  $\frac{1}{9}$  of a unit long  
 perimeter =  $48(\frac{1}{9}) = \frac{48}{9}$



Each short segment represents  
 $\frac{1}{3}$  of  $\frac{1}{3}$  of  $\frac{1}{3} = \frac{1}{27}$  of a the original side:  
 $\frac{1}{27}$  of a unit

Figure number	Perimeter
1	3 units
2	$\frac{12}{3}$ units = 4
3	$\frac{48}{9}$ units = $\frac{16}{3}$
4	$\frac{192}{27}$ units = $\frac{64}{9}$

# of short segments =  $16 \cdot 12 = 192$   
 each segment is  $\frac{1}{27}$  of a unit  
 perimeter =  $192(\frac{1}{27})$

Figure	SAS 1 pg3	Perimeter
1		$P = 3 = \frac{3}{1}$
2		$P = 12/3 = \frac{3}{1} \cdot \frac{4}{3}$
3		$P = 48/9 = \frac{12}{3} \cdot \frac{4}{3}$
4		$P = 192/27 = \frac{48}{9} \cdot \frac{4}{3}$

This table of Perimeters demonstrates what type of sequence?

Geometric  
 $r = \frac{4}{3}$

What will be the perimeter of the fifth Figure?

$$t_5 = t_4 \cdot r$$

$$= \frac{192}{27} \cdot \frac{4}{3}$$

$$t_5 = \frac{768}{81}$$

pg 4 of Overview on Agile Mind website

Answer Questions 7 and 8 on SAS 1 pg 3

7. Which of the function families you studied in Algebra 1 grows like an arithmetic sequence? Why? pg 5 of overview

*LINEAR FAMILY*

8. Which of the function families you studied in Algebra 1 grows like a geometric sequence? Why? pg 6 of overview

*Exponential Family*

pg 7 of Overview on Agile Mind website

Hwk #3: Questions 9 and 10 on SAS 1

Agile Mind URL:

<https://dearborn.agilemind.com>

Username & Password: Your DPS ID #