

For 1 to 3 find the number of outcomes for each situation.

1. A restaurant offers four sizes of pizza, three types of crust, and eight toppings. How many possible combinations of pizza with two toppings are there?
2. Your car's radio has buttons for 5 preset radio stations. You have 7 favorite stations you like to listen to. How many ways can you preset radio stations on your car radio?
3. On your phone you have 20 songs. If there is an option to play these songs in a random order how many different orders of these songs can be created?

4. A survey was taken asking people what their favorite color is. Find each probability as a fraction

without reducing. The results are shown in this table:

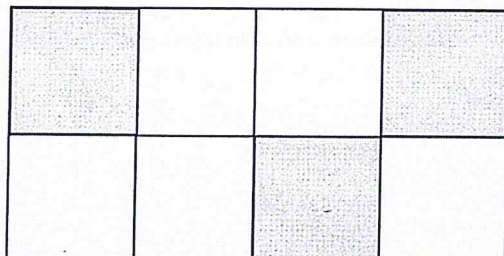
	Green	Red	Orange	Blue	Total
Women	31	19	21	3	74
Men	44	26	11	8	89
Total	75	45	32	11	163

- a) $P(\text{Orange or Blue})$ b) $P(\text{Red or Woman})$ c) $P(\text{Man and Green})$

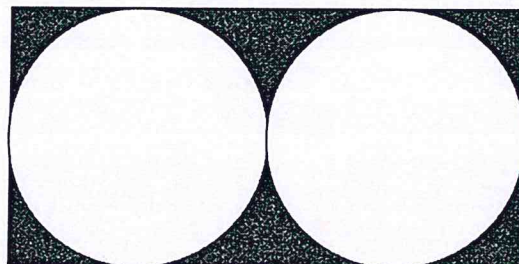
5. Geometric probability = $\frac{\text{Area of shaded region}}{\text{Total Area}}$

Find the probability that a dart that lands in the rectangle will land in the shaded region. Give your answer as a percent. Round to the nearest tenth as needed.

a)



b) The diameter of each circle is 10 in.



For 1 to 3 find the number of outcomes for each situation.

1. A restaurant offers four sizes of pizza, three types of crust, and eight toppings. How many possible combinations of pizza with two toppings are there?

$$\frac{4}{\text{size}} \cdot \frac{3}{\text{crust}} \cdot \frac{{}^8C_2}{\text{toppings}} = 4 \cdot 3 \cdot 28 = 336$$

2. Your car's radio has buttons for 5 preset radio stations. You have 7 favorite stations you like to listen to. How many ways can you preset radio stations on your car radio?

$${}_7P_5 = 2520$$

3. On your phone you have 20 songs. If there is an option to play these songs in a random order how many different orders of these songs can be created?

$${}_20P_{20} \text{ or } 20! = 2.43 \times 10^{18}$$

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	Green	Red	Orange	Blue	Total
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a) $P(\text{Orange or Blue})$

$$= \frac{32 + 11}{163} = \frac{43}{163}$$

b) $P(\text{Red or Woman})$

$$= \frac{100}{163}$$

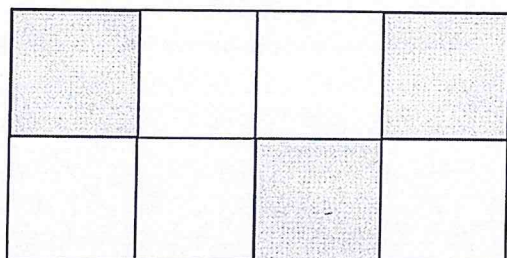
c) $P(\text{Man and Green})$

$$= \frac{44}{163}$$

5. Geometric probability = $\frac{\text{Area of shaded region}}{\text{Total Area}}$

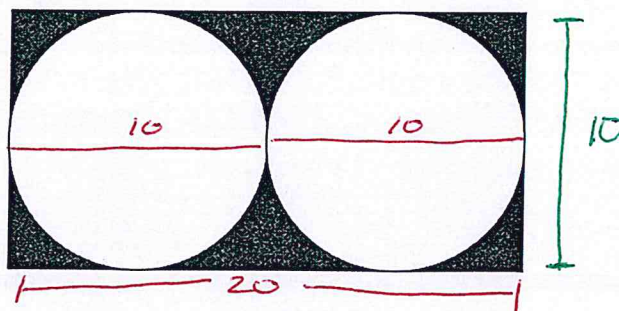
Find the probability that a dart that lands in the rectangle will land in the shaded region. Give your answer as a percent. Round to the nearest tenth as needed.

a)



$$\frac{3}{8} = 37.5\%$$

b) The diameter of each circle is 10 in. \rightarrow radius = 5 in



$$\frac{\text{Rect} - 2 \text{ circles}}{\text{Rect}} = \frac{200 - 2(25\pi)}{200} = 21.5\%$$

$$\text{area of rectangle} = (20)(10) = 200$$

$$\text{area of one circle} = \pi r^2 = \pi (5)^2 = 25\pi$$