

1. State all points of discontinuity. Which are Holes? Which are VA?

$$\frac{4x^3 - 8x^2 - 140x}{6x^4 - 294x^2}$$

Pts of Discontinuity:

VA:

Hole:

2. Graphene, which is used in the manufacture of integrated circuits, is so thin that a sheet weighing one ounce can cover up to 7 football fields. If a football field has an area of approximately $1\frac{1}{3}$ acres, about how many acres could 48 ounces of graphene cover?

- A) 250 B) 350 C) 450 D) 1,350

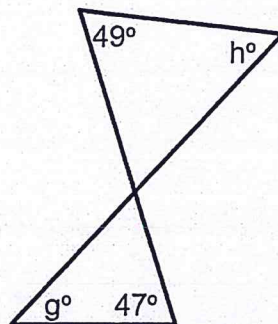
3. If exactly two of the three integers i, j , and k are odd, which of the following must be odd?

- I. $(i+j)k$ II. $i+j+k$ III. $ij+k$

- A) III only B) I, II, and III C) I and III only D) I and II only E) I only

4. In the figure to the right, what is the value of $|g-h|$?

- A) 2
B) 41
C) 43
D) 84
E) 86



Note: figure not drawn to scale.

5. Which of the following could be the remainders when 3 consecutive integers are each divided by 2?

- A) 2,0,1 B) 0,1,2 C) 0,1,0 D) 0,0,1 E) 0,0,0

1. State all points of discontinuity. Which are Holes? Which are VA?

$$\frac{4x^3 - 8x^2 - 140x}{6x^4 - 294x^2}$$

Pts of Discontinuity: $X=0, \pm 7$

VA: $X = -7, 0$

Hole: $X = 7$

$$4x^3 - 8x^2 - 140x$$

$$4x(x^2 - 2x - 35)$$

$$4x(x-7)(x+5)$$

$$6x^4 - 294x^2$$

$$6x^2(x^2 - 49)$$

$$6x^2(x+7)(x-7)$$

$$\frac{4x(x-7)(x+5)}{6x^2(x+7)(x-7)}$$

zeros of num 0, 7, -5
zeros of denom 0, ± 7

2. Graphene, which is used in the manufacture of integrated circuits, is so thin that a sheet weighing one ounce can cover up to 7 football fields. If a football field has an area of approximately $1\frac{1}{3}$ acres, about how many acres could 48 ounces of graphene cover?

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$$1 \text{ oz} = 7 \text{ fields}$$

$$1 \text{ field} = 1\frac{1}{3} \text{ acres}$$

$$1 \text{ oz} = 7 \cdot 1\frac{1}{3} = 7 \cdot \frac{4}{3}$$

$$1 \text{ oz} = \frac{28}{3} \text{ acres}$$

$$48 \text{ oz} \Rightarrow \frac{28}{3} \cdot 48 = 448 \text{ acres}$$

3. If exactly two of the three integers i, j , and k are odd, which of the following must be odd?

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- A) III only B) I, II, and III C) I and III only D) I and II only E) I only

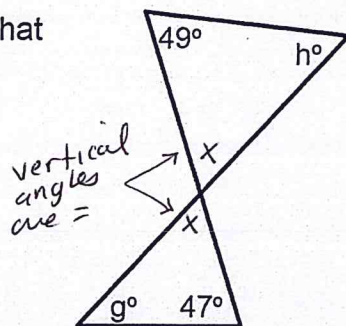
I $(i+j)k$: $(0+0)E = \text{EVEN}$
or $(0+E)O = (O)(O) = \text{ODD}$
could be even

II $i+j+k$:
 $= O+O+E = \text{EVEN}$
 $= E+E = \text{EVEN}$
MUST BE EVEN

III $ij+k$:
 $O \cdot O + E = O + E = \text{ODD}$
or
 $O \cdot E + O = E + O = \text{ODD}$
MUST BE ODD

4. In the figure to the right, what is the value of $|g-h|$?

- A) 2 B) 41 C) 43 D) 84 E) 86



Note: figure not drawn to scale.

$$49 + h + x = 47 + g + x$$

$$49 + h = 47 + g$$

$$49 = 47 + g - h$$

$$2 = g - h$$

5. Which of the following could be the remainders when 3 consecutive integers are each divided by 2?

- A) 2,0,1 B) 0,1,2 C) 0,1,0 D) 0,0,1 E) 0,0,0

NOT POSSIBLE:
only remainders
when dividing
by 2 are
0 & 1

even $\# \div 2 \Rightarrow$ no remainder
odd $\# \div 2 \Rightarrow$ remainder = 1

3 consecutive integers
is either:

odd even odd $\Rightarrow R=101$
or
even odd even $\Rightarrow R=010$