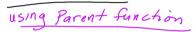
Graph this quadratic.

$$y = -0.5x^2 + 4x - 5$$

$$y-int = -5$$
  
 $Los: X = \frac{-4}{2(-5)} = \frac{-4}{-1} = 4$ 



Use this Quadratic:  $v = 2x^2 + 24x - 19$ 

Does this Quadratic Function have a Maximum or a Minimum? Since 2>0 this opens up -> Vertex is a Min

Find the Coordinates of the Vertex.

$$LOS: X = \frac{-24}{2(2)} = \frac{-24}{4} = -6$$

Los: 
$$X = \frac{-24}{2(2)} = \frac{-24}{4} = \frac{-6}{6}$$
  
Vertex:  $(-6, -91)$   
 $y = 2(-6)^2 + 24(-6) - 19$   
 $= 2(36) + 24(-6) - 19$   
 $= 72 - 144 - 19 = -91$ 

What is the Minimum of this function? y at vertex

When does the minimum occur?

Remember, the vertex is either the maximum or the minimum of a quadratic function.

> The actual max/min of the function is the v-coord of the Vertex.

The x-coord of the Vertex represents WHEN the max/min value occurs.

A company makes syringes. The following equation models their Profit as a function of the number of syringes. (400,70750) syringes made per hour.

P(s) = -0.45s<sup>2</sup> +360s -1250  
LOS: 
$$X = \frac{-360}{2(-.45)} = 400$$
  $y = -.45(400)^2 +360(400) -1250 = 70,750$ 

1. Find the number of syringes that should be made per hour in order to maximize the company's Profit.

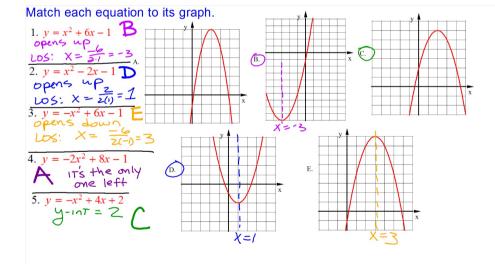
A company needs to minimize their costs. The equation below gives their weekly costs (C) as a function of the number of hours each employee works (h).

$$C(h) = 6.5h^2 - 455h + 8765$$

Los: 
$$X = \frac{455}{2(6.5)} = 35$$
  $y = 6.5(35)^2 - 455/35) + 8765 (35) 802.5$ 

Find the minimum costs the company can incur and how many hours each employee should work to reach this minimum.

$$min (0575 = 802.5)$$
 $#hrs = 35$ 



A ball is shot into the air with an initial velocity of 80 ft/sec from the top of a 50 ft tall building. The following equation models the height (ft) of the object (2.5, 150)as a function of time (sec).

 $h(t) = -16t^{2} + 80t + 50$   $LOS: x = \frac{-80}{2(-32)} = 2.5 \qquad y = -1/(2.5)^{2} + \frac{50}{2.5} + \frac{50}{2.5}$ 1. Find the time it takes the object to reach its maximum height.

2. Find the maximim height of the object.