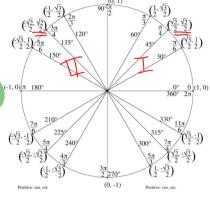
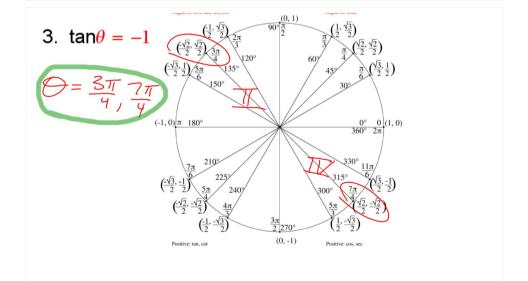
Sec 14-2: Solving Trigonometric Equations

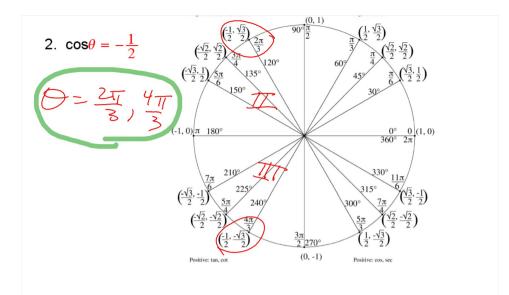
Given $0 \le \theta \le 2\pi$ find the EXACT value of all θ that makes each equation true.

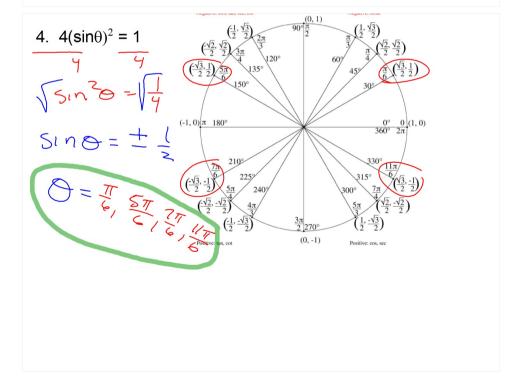
1. $\sin\theta = \frac{\sqrt{2}}{2}$

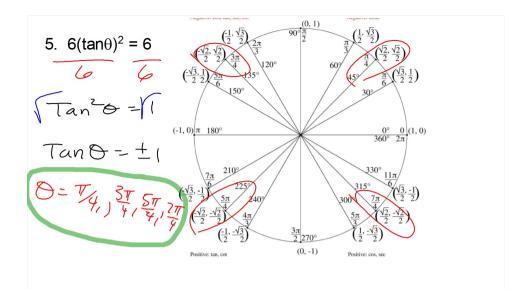
$$0 = \frac{\pi}{4}, 3\pi/4$$







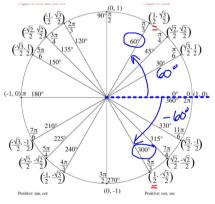




Using the unit circle find two angles that have the same Cosine value. What is the relationship between these two angles?

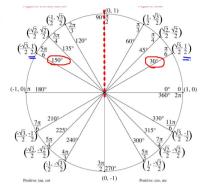
• They are reflections over the x-axis

They are opposites of each other
 Cosθ = Cos(-θ)



Using the unit circle find two angles that have the same Sine value. What is the relationship between these two angles?

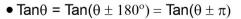
- They are reflections over the y-axis
- They are Supplementary:
 Sinθ = Sin(180° θ)
 Sin(π θ)

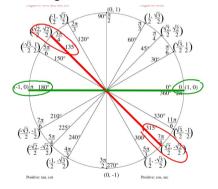


Using the unit circle find two angles that have the same Tangent value.

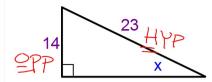
What is the relationship between these two angles?

 The angles are half a circle away from each other





Find the value of x.



$$\int \ln x = \frac{14}{23}$$

$$\chi = \sin^{7}(\frac{14}{23})$$

$$= 37.50^{\circ}$$

Find all values of θ for $0 \le \theta \le 360^{\circ}$ that makes this equation true. Round to the nearest hundredth.

$$8Tan\theta = -9$$

$$8 = -1.125$$

$$0 = Tan^{-1}(-1.125)$$

$$0 = -48.37^{\circ} = -48.37^{\circ} + 360^{\circ} = 311.63^{\circ}$$
use the concept of coterminal angles to make this positive.

Use the relationship between angles that have the same Tangent to find the second angle.

Tan
$$\theta$$
 = Tan $(\theta \pm 180^{\circ})$ = $\theta = 311.63 - 180 = (131.63^{\circ})$