Infinite Series:

The only infinite series that have a sum are

Geometric Series when |r|<1

How did this formula become this formula?

Sum of a finite geometric series.

$$S_n = \frac{a_1(1-r^n)}{1-r}$$

Sum of an infinite geometric series, |r|<1

$$S = \frac{a_1}{1 - r}$$

Since r is less than one and it is being raised to a very large power ( $\infty$ ) it becomes so small that it essentially become zero. Therefore, (1-r<sup>n</sup>) becomes (1-0) and  $a_1(1-0) = a_1(1) = a_1$ 

To find the sum of an infinite geometric series if |r| < 1, use the following formula:

$$S = \frac{a_1}{1 - r}$$

S =the sum of all infinite terms

 $a_1$  = the first term

r = the common ratio

Find the sum of this infinite geometric series:

$$\frac{5}{6} + \frac{10}{18} + \frac{20}{54} + \frac{40}{162} + \dots$$
in finite geometric
$$V = \frac{3}{3}$$

$$S = \frac{5}{6} = \frac{5}{6} = \frac{5}{6} = \frac{5}{6} = \frac{5}{6} = \frac{3}{1} = \frac{5}{3}$$

Find the sum of this infinite geometric series:

$$r = \frac{-1440}{7200} = -.2$$

$$S = \frac{7200}{1 - -.2} = 6000$$

1. 29+26+23+20+...

infinite Arithmetic

Find the sum of each series, if it exists.

- 1. 29+26+23+20+...
- 2. 192+144+108+81+...
- 3. 84000 + -8400 + 840 + -84 + ...
- 4. 1.28+ 1.60+ 2+ 2.5+ ...
- 5. 29 + 32 + 35 + 38 + ... + 131

2. 192+144+108+81+... infinite geometric

$$Y = \frac{3}{4} = .75$$

$$S = \frac{192}{1 - .75} = \frac{192}{.25} = 768$$

$$S = \frac{84000}{1 - -.1} = 76363.63$$

$$S_{35} = \frac{35}{2}(29 + 131)$$

$$= 2800$$

$$= 35 + 3(n-1)$$

$$= 131 = 29 + 3(n-1)$$

$$34 = n-1$$

$$35 = N$$

You can now finish Hwk #34.

Practice Sheet: Geometric Series (Sec 11-5)

Due Monday