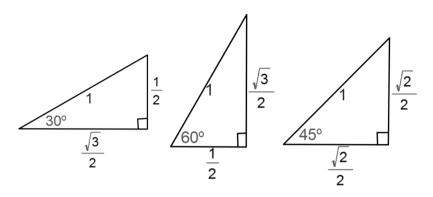
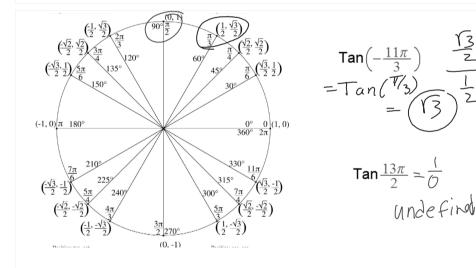
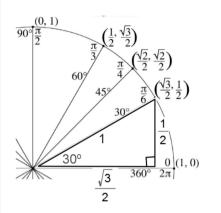
The Unit Circle involves the angles in Special Right Triangles which means it probably involves the sides too!





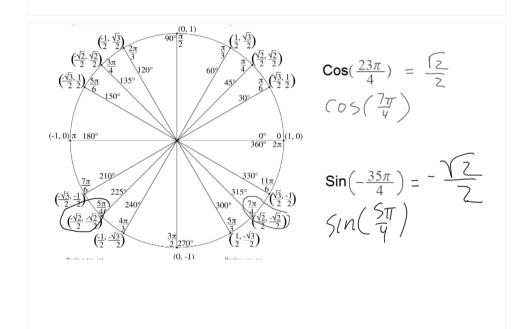
Finding $Sin\theta$, $Cos\theta$, and $Tan\theta$ using the Unit Circle

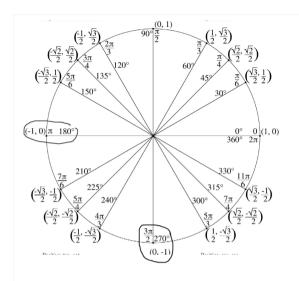


$$Cos\theta = x (x-coordinate)$$

$$Sin\theta = y$$
 (y-coordinate)

$$Tan\theta = \frac{Opp \ Leg}{Adj \ Leg} = \frac{y}{x}$$





$$\frac{\sin\frac{15\pi}{2}}{5l\eta\left(\frac{3\pi}{2}\right)} = -$$

$$\cos 75\pi$$
 = -

Use the given infomation to find the measure of all the anlges θ that meet each condition.

 θ in degrees (0° $\leq \theta \leq 360$ °)

1.
$$\cos \theta = -\frac{1}{2}$$

1.
$$\cos \theta = -\frac{1}{2}$$
 2. $\sin \theta = \frac{\sqrt{2}}{2}$ 45° 135°

3. $\cos \theta = 1$ 4. $\sin \theta = -\frac{\sqrt{3}}{2}$ 2. $\sin \theta = 0$

3.
$$\cos \theta = 1$$

4.
$$\sin \theta = -\frac{\sqrt{3}}{2}$$

5.
$$\sin \theta = 0$$

You will have a quiz next week over filling out the Unit Circle!

Use the given infomation to find the measure of all the anlges θ that meet each condition.

$$\theta$$
 in degrees (0° $\leq \theta \leq 360$ °)

6.
$$\tan \theta = -1$$
7. $\tan \theta = \sqrt{3}$

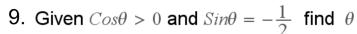
$$\frac{\sqrt{3}}{2} = \sqrt{3}$$

$$\frac{\sqrt{3}}{2} = \sqrt{3}$$
8. $\tan \theta = -\frac{\sqrt{3}}{3}$

$$\frac{-\frac{1}{2}}{\sqrt{3}} = \sqrt{3}$$

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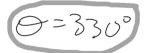
$$\sqrt{3} =$$





These two statements tell us that x is positive and y is negative, therefore, θ is in the 4th Quadrant

In the 4th Quadrant $\sin\theta = -1/2$ at 330°



You can now finish Hwk #30

Practice Sheet

Sec 13-2

10. Given $90^{\circ} \leq \theta \leq 180^{\circ}$ this tells us θ is in the 2nd Quadrant If $Cos\theta = -\frac{\sqrt{3}}{2}$ find $Sin\theta = \frac{1}{2}$ In the 2nd Quadrant θ must be 150° to get this value for Cos. Now do Sin 150°

Suppose the you get on a Ferris Wheel at the spot marked with the star. Sketch the graph of your height above/below the spot marked with the star as the Ferris Wheel turns.

