- 1. (a)  $y = a \cdot b^x$  is the **general form** for an \_\_\_
  - (b) What are the allowed values for

x:

a:

*b* :

2. b is the base of this function. When b > 1 the equation  $y = a \cdot b^x$  models \_\_\_\_\_

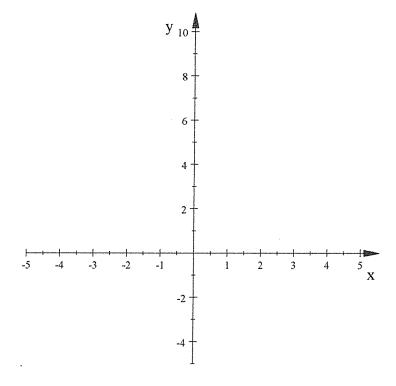
and b is called the \_\_\_\_\_

3. A) Use a graphing calculator and graph  $Y_1 = 2^x$  this is where a = 1 & b = 2. Use the following window:

 $X_{\min} = -5$ 

 $X_{\text{max}} = 5 \qquad Y_{\text{min}} = -5 \qquad Y_{\text{max}} = 10$ 

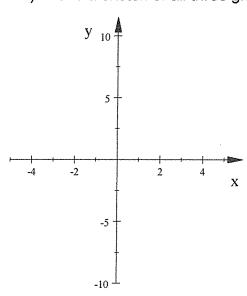
- B) What is the y-intercept?
- C) In  $Y_2$  and  $Y_3$  graph  $y = b^x$  for 2 other values of b bigger than 2.
- D) Make a sketch of all three graphs below labelling each graph with it's equation.



- E) What happens to the graphs as *b* increases?
- F) What point do all three graphs have in common?
- G) All three graphs have the same horizontal asymptote which is \_\_\_\_\_
- H) The graphs approach this horizontal asymptote as the values of x \_\_\_\_\_

4. A) Leaving  $Y_1 = 2^x$  (remember this is where a = 1 & b = 2) graph in  $Y_2$  and  $Y_3$ ,  $y = a \cdot 2^x$  for 2 other positive values of a such that 0 < a < 10.

B) Make a sketch of all three graphs labelling each graph with it's equation.



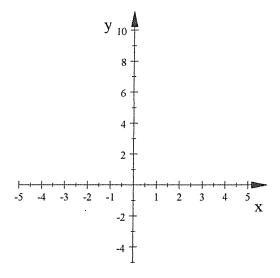
C) Explain what changing the value of a does to the graph.

D) Now graph  $y = a \cdot 2^x$  for a negative value of a. What does this do to the graph?

5. A) When the value of b is between 0 and 1, 0 < b < 1,

then the equation  $y = a \cdot b^x$  models \_\_\_\_\_ and b is called the \_\_\_\_\_

B) Graph  $Y_1 = 0.5^x$  (a = 1 & b = 0.5)and sketch the graph below



C) What is the y-intercept?

D) What is the horizontal asymptote?

E) The graph approaches this horizontal asymptote as the values of x \_\_\_\_\_