

There are 2 even roots of every positive number.

$-\sqrt{}$ asks for the **Negative Root**

$\pm\sqrt{}$ asks for the **Pos & Neg Roots**

$\sqrt{}$ asks for the **Positive Root**

The answer from an **EVEN** radical must be **POSITIVE**.
"Principal Root"
unless... there is a - or \pm in front of the radical.

The answer from an **ODD** radical can be anything (pos or neg).

A real number raised to an **EVEN** power is **ALWAYS POSITIVE**.

A real number raised to an **ODD** power can either be negative or positive.

Simplify each. Use absolute value symbols when needed.

$$14. \sqrt[3]{x^{22}} = \sqrt[3]{x^{21} \cdot x^1} = x^7 \sqrt[3]{x}$$

$$15. \sqrt[3]{-27e^{12}f^{17}g^{19}} = -3e^4f^5g^6 \sqrt[3]{f^2g}$$

Simplify each. Use absolute value symbols when needed.

$$16. \sqrt[4]{16m^{12}n^{25}} = 2|m^3|n^6\sqrt[4]{n}$$

$$17. \sqrt[5]{32R^{21}S^{34}} = 2R^4S^6\sqrt[5]{RS^4}$$

Absolute value symbols **may** be needed when taking an even root.

Absolute value symbols are **not** used when taking an odd root.

If the result of an even root **could** be negative then absolute value symbols are needed.

This will occur when the result of taking the root is a variable raised to an odd power.

Simplify each. Use absolute value symbols when needed.

$$18. \sqrt{72c^{18}d^{33}g^{12}}$$

\swarrow
 $36 \cdot 2$

$$= 6|c^9|d^{16}g^6\sqrt{2d}$$

Simplify each. Use absolute value symbols when needed.

$$1. \sqrt[5]{m^{20}q^{35}}$$

$$= m^4q^7$$

$$2. \sqrt[4]{a^{12}b^{32}}$$

$$= |a^3|b^8$$

3. $\sqrt[8]{x^{40}y^{21}z^{15}}$

$= |x^5| y^2 |z| \sqrt[8]{y^5 z^7}$

4. $\sqrt[9]{k^{41}j^{29}}$
 $= k^4 j^3 \sqrt[9]{k^5 j^2}$

Simplify. Use absolute value symbols when needed.

$$\sqrt{25c^{14}d^{29}} = 5|c^7|d^{14}\sqrt{d}$$

Simplify. Assume all variables are positive.

This means regardless of the index NO absolute value is needed.

$$\sqrt[4]{m^{12}n^{23}p^6} = m^3n^5p\sqrt[4]{n^3p^2}$$

? $= b^8 c^5 d^{11} \sqrt[3]{c^2 d^1}$

What was the original problem that produced the answer shown above?

$$\sqrt[3]{b^{24}c^{17}d^{34}}$$

$8 \cdot 3 = 24$ $5 \cdot 3 + 2 = 17$ $11 \cdot 3 + 1 = 34$

You can now finish Hwk #16

Sec 7-1

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Problems 43 - 46, 49 - 54