

Does each table represent Direct Variation? If yes, state the variation constant.

1.

X	Y	$\frac{y}{x}$
-2.4	-9	3.75
-1.63	-5.1	3.19
5.8	21.75	
12.32	46.2	
32.8	123	

No, it is not Direct Variation because  $y/x$  isn't a constant ratio

2.

X	Y	$\frac{y}{x}$
-8.4	68.88	
1.6	-13.12	
6.2	-50.84	
12.5	102.5	
19	-155.8	

No, it is not Direct Variation because the ratio of  $y/x$  is negative for only four of the five set of  $x$  &  $y$  values

3.

X	Y	$\frac{y}{x}$
-4	-12.5	3.125
-1.2	-3.8	3.167
6	19	3.167
15	47.2	3.147
26	81	3.115

Since  $y/x$  isn't a constant ratio it doesn't seem like Direct Variation. However, if this data was "real-world" data we may consider this Direct Variation because "real-world" is seldom perfect. Therefore, for real data  $y/x$  values that are all very close might indicate this is really Direct Variation. The value of the variation constant would probably be the average of the  $y/x$  ratios.

Given the table shows a direct variation relationship, find the value of ?.

To solve Direct Variation situations you can use either equation or you can use a Proportion

X	Y	$\frac{Y}{X}$
4	9	2.25
10	22.5	
24	54	
35	?	

$$y = 2.25x$$

$$? = 2.25(35)$$

$$? = 78.75$$

OR

$$\frac{9}{4} = \frac{?}{35} \rightarrow ? = 78.75$$

1. Use this table to write a Direct Variation equation.

X	Y	$\frac{Y}{X}$
2	12.2	6.1
9	54.9	
15	91.5	
18	109.8	
23	140.3	

$$y = 6.1x$$

2. Find the value of  $x$  when  $y = 70$

Use the Direct Variation Eq.  $70 = 6.1x$  or get the same answer with a proportion  $x = 11.48$

3. Find the value of  $y$  when  $x = 51$

Use the Direct Variation Eq.  $y = 6.1(51)$  or get the same answer with a proportion  $y = 311.1$

A Direct Variation relationship contains the point  $(-8, 11)$ . Write the equation of this Direct Variation.

$$k = \frac{y}{x}$$

$$k = \frac{11}{-8}$$

$$y = \frac{11}{-8}x$$

A Direct Variation relationship has a variation constant of 4.5

Does this direct variation contain the point (6, 27) ?

One way to answer this question is to find the ratio of y/x using this point and see if it matches the variation constant.

$$\frac{27}{6} = 4.5 \quad \text{Therefore, (6,27) must be a part of this Direct Variation relationship.}$$

Another way to answer this equation is to write a direct variation equation using the given constant and see if the given point makes the equation true.

$$\begin{aligned} y &= 4.5x \\ 27 &= 4.5(6) \\ 27 &= 27 \end{aligned} \quad \text{since (6,27) makes the variation equation true it must be a part of this Direct Variation relationship.}$$

Each of the ordered pairs given are for the same direct variation. Find the missing value.

You could use a proportion

$$1. \quad (4, 18) \text{ and } (x, 45) \quad \frac{18}{4} = \frac{45}{x} \quad x = 10$$

Or use a Direct Variation Equation

$$\begin{aligned} 2. \quad (18, 6) \text{ and } (24, y) \\ k = \frac{y}{x} = \frac{6}{18} = \frac{1}{3} \end{aligned} \quad \begin{aligned} y &= \frac{1}{3}x \\ y &= \frac{1}{3}(24) \\ y &= 8 \end{aligned}$$

Remember the phrase: "Y varies directly with X"

The amount of water in the tub varies directly with the amount of time the water has running. After 5 minutes there are 12 gallons in the tub.

y = gallons of water  
x = # of minutes

$$k = \frac{Y}{x} = \frac{12g}{5m} = 2.4 \text{ gal/min}$$

1. Model this situation with a Direct Variation equation.

$$y = 2.4x$$

2. Find the amount of time it takes to fill a 32 gallon tub.

because 32 is a # of gallons you can use the Direct Variation equation and replace y with 32 then solve for x.

$$\begin{aligned} 32 &= 2.4x \\ &= 13.\bar{3} \text{ min} = 13 \text{ min } 20 \text{ sec} \end{aligned}$$

Or you could use a proportion and get the same answer

The number of gallons of paint used varies directly with the number of feet of fencing being painted. 6 gallons of paint was used to paint 111 feet of fencing.

a) State the variation constant, include units.  $\approx 0.05 \text{ gal/ft}$

$$k = \frac{6 \text{ gal}}{111 \text{ ft}}$$

b) Write a direct variation equation. Define your variables.

EQ:

$$y = 0.05x$$

Variables:

x = # feet of fencing

y = # gallons of paint

c) How many gallons of paint will be needed to paint 250 feet of fencing?

Using the equation:

$$y = 0.05(250) = 12.5 \text{ gallons}$$

You would probably buy 13 gallons of paint.

Using a proportion:

$$\frac{6 \text{ gal}}{111 \text{ ft}} = \frac{y}{250 \text{ ft}}$$

this leads to an answer of 13.5 which means you would probably buy 14 gallons.

this problem is an example of when rounding in the middle of a problem then using a rounded number to get an answer is dangerous. The proportion is a "better" more accurate answer since the only rounding occurred with the final answer.

Hwk #1

Sec 2-3

Page 75

Problems 23, 24, 26, 28-30, 38, 48, 52, 59 a,b

Due Tomorrow