

Remember, the **vertex** of a parabola is either the **maximum** or the **minimum** of a quadratic function.

The Max or Min of a function is the y-coordinate at the Vertex.

When a Max or Min occurs is the x-coordinate of the Vertex.

In other words, **WHAT** a function equals is a **y-value**

WHEN something happens is an **x-value**

1. Use this Quadratic: $y = 2x^2 + 24x - 19$

a. Find the Coordinates of the Vertex.

$$\text{LOS } x = \frac{-24}{4} = -6$$
$$(-6, -91)$$

b. What is the Minimum of this function?

$$-91$$

c. When does the minimum occur?

$$\text{when } x = -6$$

2. Use this quadratic: $y = -0.25x^2 - 17x + 3$

$$\text{LOS } \frac{17}{-.5}$$
$$x = -34$$

$$\text{Vertex: } (-34, 292)$$

What is the maximum of this function?

the max of this
function is the
y-coord at the
Vertex

$$292$$

A ball is shot into the air with an initial velocity of 80 ft/sec from the top of a 50 ft tall building. The following equation models the height (ft) of the object as a function of time (sec).

$$h(t) = -16t^2 + 80t + 50$$

1. Find the time it takes the object to reach its maximum height.

this is the x-coord of the vertex: $LOS = \frac{-80}{2(-16)}$

$$t = 2.5 \text{ sec}$$

2. Find the maximim height of the object.

this is the y-coord of the vertex

$$h(2.5) = -16(2.5)^2 + 80(2.5) + 50 = 150$$

Max ht is 150 feet.

this indicates we are looking for the Vertex



A company makes syringes. The following equation models their Profit as a function of the number of syringes made per hour.

$$P(s) = -0.45s^2 + 360s - 1250$$

1. Find the number of syringes that should be made per hour in order to maximize the company's Profit.

this is the x-coord of the vertex: $LOS = \frac{-360}{2(-.45)}$

2. What is the maximum Profit?

$$P(400) = -0.45(400)^2 + 360(400) - 1250$$

this is the y-coord at the vertex:

Max Profit = 70,750

(s, P)



Vertex!

syringes to make max profit is 400