

# Bellwork Alg 2A Monday, February 13, 2017

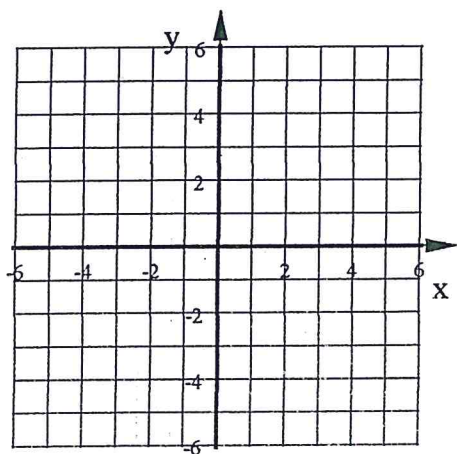
1. A company wants to maximize their profit when they make washers. The following equation models the company's profit as a function of the number of washers they make each day:

$$P(w) = -.35w^2 + 98w + 1350$$

a) Find the company's maximum profit.

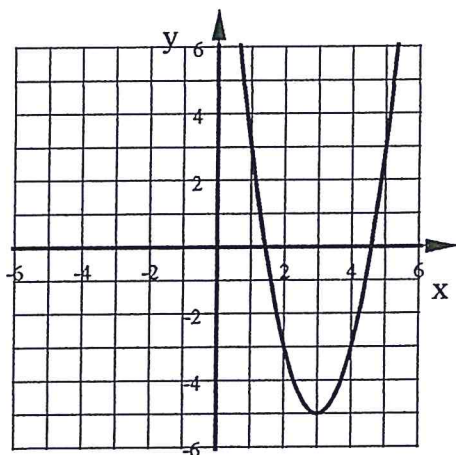
b) How many washers should they make each day in order to achieve this maximum profit?

2. Graph this parabola using only points with integer coordinates:  $y = -\frac{1}{2}(x + 1)^2 + 3$

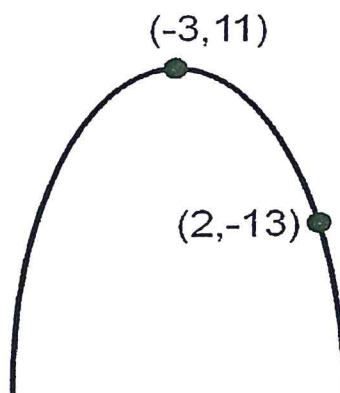


For the rest of the problems write the equation of the quadratic in Vertex Form.

3.



4.



5. The parabola has a vertex of  $(6, -5)$  and the point  $(9, 22)$  is on the parabola.

6. The parabola has a vertex of  $(4, 3)$  and it has an x-intercept of  $-6$ .

1. A company wants to maximize their profit when they make washers. The following equation models the company's profit as a function of the number of washers they make each day:

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a) Find the company's maximum profit.

y-coord of Vertex

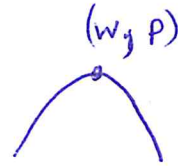
$$\text{max profit} = P(140) = \boxed{8210}$$

b) How many washers should they make each day in order to achieve this maximum profit?

x-coord of Vertex

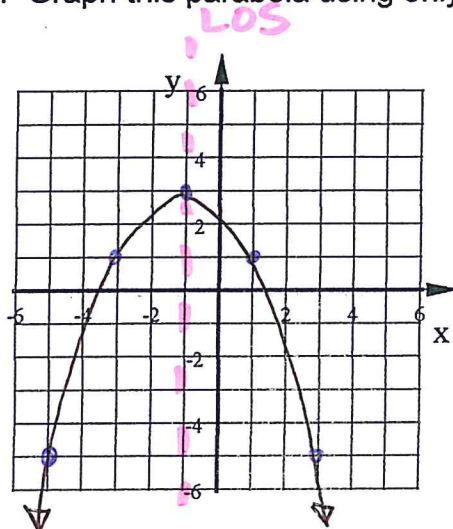
$$\text{LOS: } w = \frac{-98}{2(-.35)} = 140$$

**140 washers per day**



2. Graph this parabola using only points with integer coordinates:

$$y = -\frac{1}{2}(x+1)^2 + 3$$



parent function

$$\sqrt[2]{4x - \frac{1}{2}}$$

this function

$$\sqrt[2]{-2}$$

$$\sqrt[4]{16x - \frac{1}{2}}$$

$$\sqrt[4]{-8}$$

1 Left 3 up

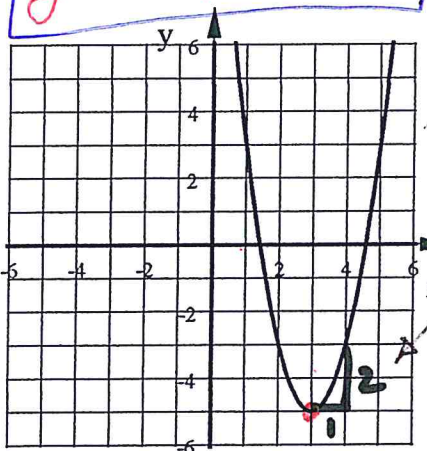
Vertex (-1, 3)

LOS: x = -1

1/2 as Tall opens down

For the rest of the problems write the equation of the quadratic in Vertex Form.

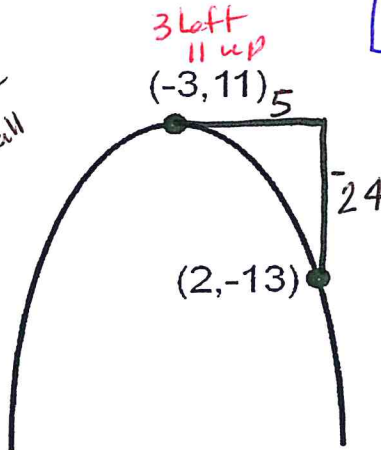
$$3. \quad \boxed{y = 2(x-3)^2 - 5}$$



3RT 5DOWN

4.

$$\boxed{y = -\frac{24}{25}(x+3)^2 + 11}$$



3 Left 11 up

$$a = -\frac{24}{25}$$

This graph

$$\sqrt[5]{-24}$$

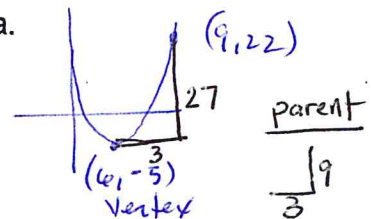
parent function

$$\sqrt[5]{25}$$

5. The parabola has a vertex of (6, -5) and the point (9, 22) is on the parabola.

$$\boxed{y = 3(x-6)^2 - 5}$$

6RT 5DOWN



(9, 22)

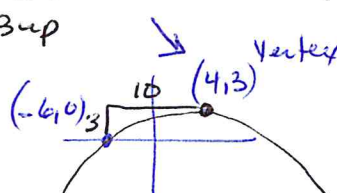
parent  $\sqrt[3]{9}$

6. The parabola has a vertex of (4, 3) and it has an x-intercept of -6.

$$\boxed{y = \frac{-3}{100}(x-4)^2 + 3}$$

$$a = \frac{-3}{100}$$

4RT 3up



parent  $\sqrt[100]{100}$

$$a = \frac{27}{9} = 3$$