Factor each completely.

$$12c^{2} + cd - 6d^{2} = (4c + 34)(3c - 24)$$

$$4c + 3d$$

$$4c + 3d$$

$$4c + 3d$$

$$12c^{2} + cd - 6d^{2}$$

$$3c + (12c^{2} + 9cd)$$

$$-2d + -6d^{2}$$

Factor each completely.

$$-\frac{6a^{2}+19a-10}{-|(ba^{2}-\sqrt{9}c+10)|}$$

to make factoring easier, always try to make the leading term positive. In this problem, factor out a -1 from all terms then continue factoring.





Factor each.

1. $g^2 - 12g + 36$

since the middle term is equal to the square root of 36 then doubled this will result in:

 $(q-6)^{-1}$

2. $c^2 + 34c + 64$

in this case the middle term isn't the square root of 64 doubled so we just factor as we always do:

32





Find the value of **b** such that this trinomial could be factored as $()^2$. Then show its factored form.

49n² - bn + 36 = $(\gamma_{\nu_1} - \zeta_2)^2$ $\sqrt{36} = 6$ b = 2(7)(6) = (87)γ49=٦ /



By mulitplying by 8 and 1/8 it's just like you've multiplied by 1. However, I chose to distribute only the 8 in order to eliminate all the denominators, making the trinomial easier to factor. Once the trinomial is factored I simply include the 1/8 as one of the factors in the final answer.



Factor completely.

$$\frac{1}{3} \cdot 3\left(\frac{2}{3}m^2 - \frac{14}{3}m - 12\right)$$

$$= \frac{1}{3}\left(2m^2 - 14m - 36\right)$$

$$= \frac{1}{3}\left(2m + 4\right)(m - 9)$$