

## **r** Correlation Coefficient

A statistic (number) that quantifies how good of a fit an equation is for a set of data.

Set up the calculator to give **r**

**2nd**

**0**

Arrow key down  
until you find

►DiagnosticOn

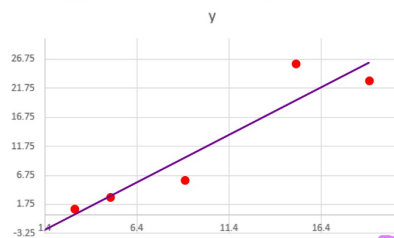
**ENTER**

**ENTER**

Now when you find a regression equation the calculator will give you the correlation coefficient too.

1. Make a scatter plot of this data, find the regression equation, and graph this equation along with the scatter plot.

| X  | Y  |
|----|----|
| 3  | 1  |
| 5  | 3  |
| 9  | 6  |
| 15 | 26 |
| 19 | 23 |



Eq:  $y = 1.64x - 4.97$

$r = 0.938$

2. Make a scatter plot of this data, find the regression equation, and graph this equation along with the scatter plot.

| X  | Y   |
|----|-----|
| 11 | 15  |
| 17 | 1   |
| 24 | -23 |
| 31 | -43 |
| 43 | -63 |

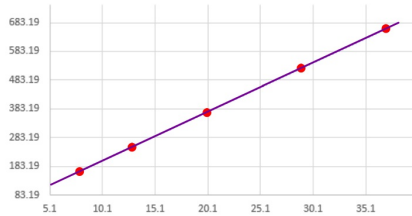


Eq:  $y = -2.52x + 40.90$

$r = -0.99$

3. Make a scatter plot of this data, find the regression equation, and graph this equation along with the scatter plot.

| X  | Y   |
|----|-----|
| 8  | 167 |
| 13 | 252 |
| 20 | 371 |
| 29 | 524 |
| 37 | 660 |



Eq:  $y = 17x + 31$

$r = 1$

**r** Correlation Coefficient

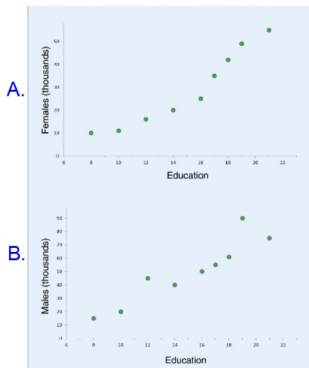
$r > 0$  positive correlation

$r = 1$  Perfect positive correlation

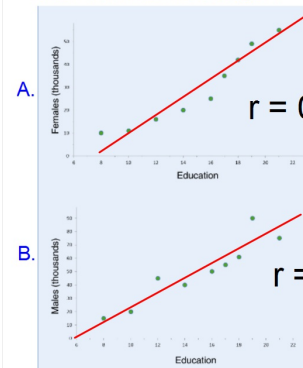
$r < 0$  negative correlation

$r = -1$  Perfect negative correlation

Which correlation is stronger?



Which correlation is stronger?



This question is easier and more accurately answered using the Correlation Coefficient.

$r = 0.952848851$

The line in graph A is a better fit because the correlation coefficient is closer to 1 than in graph B.

$r = 0.926971068$

**t**