

Real-life examples of Direct Variation:

- # of hours worked and the amount of your paycheck
- # of links in a chain and the length of a chain
- # of gallons of gas purchased and the amount you pay the cashier
- The number of minutes you walk and the number of calories burned

Remember the phrase: "Y varies directly with X"

The point (6,11) is on the graph of a direct variation relationship.

Write an equation for this Direct Variation.

$$k = \frac{y}{x} = \frac{11}{6}$$

put this
in the eq
where k is

$$y = \frac{11}{6}x$$

The ^ynumber of miles a car can drive varies directly with the _xnumber of gallons of gas used.

I was able to drive 471 miles and used 15 gallons.

1. What is the variation constant?

$$y = \frac{k}{x} = \frac{471 \text{ mi}}{15 \text{ gal}} = 31.4 \text{ mi/gal}$$

2. Write a direct variation equation.

$$y = 31.4x$$

3. Find the number of gallons needed to travel 1000 miles.

$$\frac{1000}{31.4} = \frac{31.4x}{31.4}$$

$$x = 31.85 \text{ gal}$$

The slope of a direct variation graph is 4.5

Does this direct variation contain the point (6, 27)? ^{k=4.5}

write the eq for
the direct variation
line
 $y = 4.5x$

$$27 = 4.5(6) \text{ plug in } (6, 27)$$

$$27 = 27$$

since (6, 27) makes
the eq of the line
true it must
be on the line

Y varies directly with X.

If $y = 8$ when $x = 30$, find x when $y = 100$

You can use a proportion: $\frac{8}{30} = \frac{100}{x}$

$$x = 375$$

If $y = 125$ when $x = 64$, find y when $x = 20$

OR $k = \frac{125}{64} = 1.953125$

Eq: $y = 1.953125x$

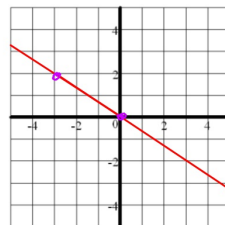
Replace x with 20

$$y = 1.953125(20)$$

$$y = 39.0625$$

Graphing Direct Variation.

1. Graph the direct variation that contains the point $(-3, 2)$



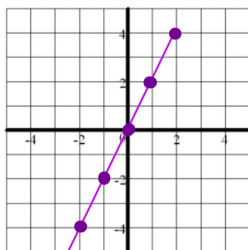
1. plot $(-3, 2)$

2. plot $(0, 0) \rightarrow$ Direct Variation passes through the origin

3. Connect these pts.

Graphing Direct Variation.

2. Graph this direct variation: $y = 2x$



$$b = 0$$

$$m = \frac{2}{1}$$

This ordered pair is from the same Direct Variation.
Find the missing value

$(4, 18)$ and $(x, 45)$

$$k = \frac{18}{4} = 4.5$$

write an eq:

$$y = 4.5x$$

replace y with 45:

find x :

$$\frac{45}{4.5} = \frac{4.5x}{4.5}$$

$$x = 10$$

or use a proportion

$$\frac{18}{4} = \frac{45}{x}$$

and cross-multiply

$$x = 10$$

This ordered pair is from the same Direct Variation.
Find the missing value

(18,6) and (24,y)

find k : $k = \frac{6}{18} = \frac{1}{3}$

write an eq: $y = \frac{1}{3}x$

replace x with 24:

find y : $y = \frac{1}{3}(24) = 8$

OR use a proportion

$$\frac{6}{18} = \frac{y}{24}$$

cross multiply

$$y = 8$$

Hwk #11

Sec 2-3

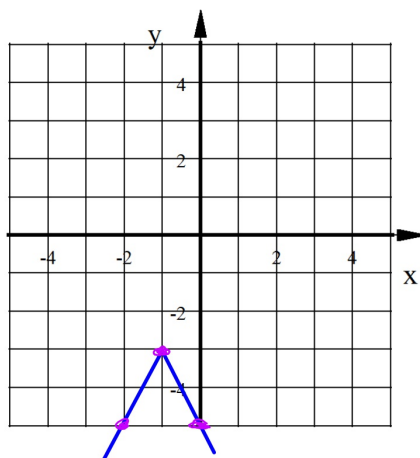
Page 75

Problems 23, 25, 26, 28-31, 35, 36, 42, 43, 46, 47, 52

Graph this function:

$$y = -2|x+1| - 3$$

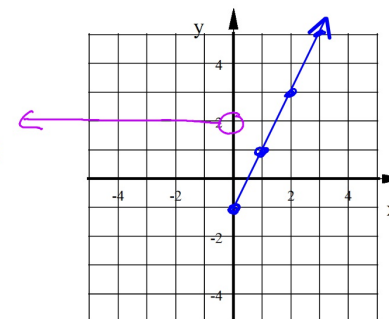
opens down
1 left
3 down
Vertex $(-1, -3)$
Sides have a slope of $\frac{2}{1}$



Graph $y = 2$
but only when $x < 0$

Using the same graph:

Graph $y = 2x - 1$
but only when $x \geq 0$



This graph is called
a **Piecewise Function**

Graph $y = 2$
but only when $x < 0$

Graph $y = 2x - 1$
but only when $x \geq 0$

The rule for this piecewise function:

$$f(x) = \begin{cases} 2, & \text{if } x < 0 \\ 2x - 1, & \text{if } x \geq 0 \end{cases}$$

the equation
to graph

When to graph it.

The x-values (Domain) when
this equation is visible.

$$f(x) = \begin{cases} 2, & \text{if } x < 0 \\ 2x - 1, & \text{if } x \geq 0 \end{cases}$$