

What would have to be true for a compound inequality using the word **AND** to have **NO SOLUTION**?

- There are no numbers that make both inequalities true.
- Graphs of inequalities don't overlap anywhere.

What would have to be true for a compound inequality using the word **AND** to have a solution of **ALL REAL NUMBERS**?

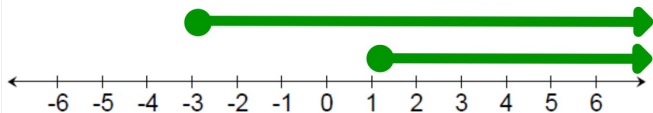
- The solution to BOTH inequalities must be All Real Numbers.
- Both graphs must be the entire number line.

What would have to be true for a compound inequality using the word **OR** to have **NO SOLUTION**?

- Both inequalities must be **NO SOLUTION**.

What would have to be true for a compound inequality using the word **OR** to have a solution of **ALL REAL NUMBERS**?

- The solutions to the two inequalities combined must contain all real numbers.
- Graphs must point in opposite directions and overlap.



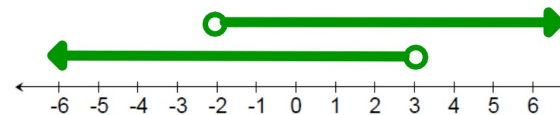
What is the solution to the above compound inequality using the word....

AND

$$w \geq 1$$

OR

$$w \geq -3$$



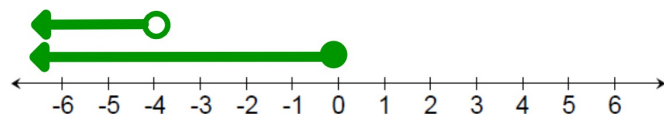
What is the solution to the above compound inequality using the word....

AND

$$-2 < x < 3$$

OR

$$\mathbb{R}$$



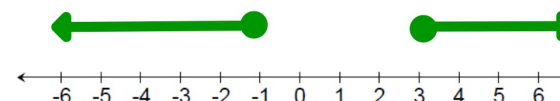
What is the solution to the above compound inequality using the word....

AND

$$A < -4$$

OR

$$A \leq 0$$



What is the solution to the above compound inequality using the word....

AND

NO  
Sol

OR

$$w \leq -1 \text{ OR } w \geq 3$$

Solve.

$$4x - 2(x + 6) - 9 > 5(x + 3) + 2 - 3x$$

$$4x - 2x - 12 - 9 > 5x + 15 + 2 - 3x$$

$$\begin{array}{r} 2x - 21 > 2x + 17 \\ -2x \quad -2x \end{array}$$

$$-21 > 17$$

This is not true, therefore, this inequality will never be true.

NO SOLUTION

Solve for  $X$ . State restrictions on the variables.

$$AX \left( \frac{G}{A} \right) = \left( \frac{M - KX}{X} + C \right) XA$$

$$GX = A(M - KX) + ACX$$

$$GX = AM - AKX + ACX$$

$$\begin{aligned} GX + AKX - ACX &= AM \\ X(G + AK - AC) &= AM \\ \frac{X(G + AK - AC)}{G + AK - AC} &= \frac{AM}{G + AK - AC} \end{aligned}$$

$$X = \frac{AM}{G + AK - AC}$$

$$\begin{aligned} X &\neq 0 \} A, X \neq 0 \\ A &\neq 0 \} \\ G + AK - AC &\neq 0 \end{aligned}$$

Solve for  $W$

State restrictions on the variables.

$$GW - R = A(W + Q)$$

$$\begin{array}{r} GW - R = AW + AQ \\ -AW \quad -AW \end{array}$$

$$GW - AW - R = AQ + R$$

$$GW - AW = AQ + R$$

$$\frac{W(G - A)}{G - A} = \frac{AQ + R}{G - A}$$

$$W = \frac{AQ + R}{G - A}$$

$G - A \neq 0$

Evaluate for  $A = -16$   $B = 12$   $C = -8$

$$-C + 2B^2 - A^2 - AC$$

$$\begin{aligned} &= -(-8) + 2(12)^2 - (-16)^2 - (-16)(-8) \\ &= 8 + 2(144) - (256) - 128 \\ &= 8 + 288 - 256 - 128 \\ &= -88 \end{aligned}$$