

Use this Quadratic Function $f(x) = 2x^2 - 3x + c$

This quadratic passes through the point $(-1, 13)$.

Find c .

$$13 = 2(-1)^2 - 3(-1) + c$$
$$13 = 2(1) - 3(-1) + c$$
$$13 = 2 + 3 + c$$
$$13 = 5 + c$$
$$-5 \quad -5$$
$$c = 8$$

Find the quadratic function $y = ax^2 + c$ that passes through the given points:

$(2, -9)$ and $(-3, -34)$
 $x \ y$ $x \ y$

$$-9 = 4a + c$$
$$-34 = 9a + c$$

To find the values of a & c you now solve this system of equations using Elimination, substitution or matrices

You can now finish Hwk #17.

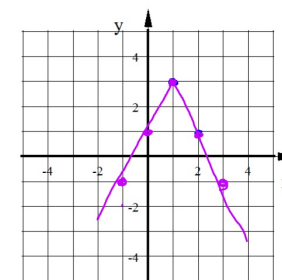
Use the sheet I've printed out.

Describe the transformations this Absolute Value function represents compared to the parent function.

$y = -2|x - 1| + 3$

-2 1 RT 3 up
- up side down
2 twice as tall
 $x - 1$ 1 RT
 $+3$ 3 up

Graph



$$y = a|x - h| + k$$

a = Vertical Stretch/Shrink Factor

$a > 0$ opens up
 $a < 0$ opens down
 $a > 1$ taller
 $0 < a < 1$ shorter

h: Horizontal Translation

Vertex:
(h,k)

k: Vertical Translation

When a graph is flipped upside down
it is also known as an

x-axis Reflection

$$y = a|x - h| + k$$

A graph is flipped over
the x-axis when $a < 0$

When a graph is flipped backwards
it is also known as a

y-axis Reflection

We won't do a y-axis reflection
on Absolute Value or Quadratic
functions. WHY?

Both of these graphs
are already symmetrical
about the y-axis

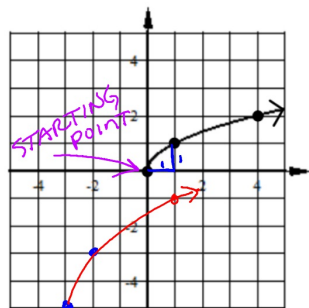
In general, if the function $y = f(x)$
is transformed the following way:

$$y = a f(x - h) + k$$

The parent function has been:

- Stretched/Shrunk vertically by a factor of a
- Reflected over x-axis if $a < 0$
- Translated horizontally h units.
- Translated vertically k units.

Use the graph of the parent function $y = \sqrt{x}$ shown below to graph $y = 2\sqrt{x+3} - 5$



2 → • V. Stretch factor of 2
(twice as tall)
• Not Upside down

$x+3$ → 3 left

-5 → 5 down

Starting Point: (-3, -5)

new
starting
point

first good
pt on orig

first good
pt on new graph

$\sqrt{1 \times 2} \rightarrow \sqrt{2}$

2nd good pt
on orig

2nd good pt
on new graph

$\sqrt{2 \times 2} \rightarrow \sqrt{4}$

$$y = a(x - h)^2 + k$$

a = Vertical Stretch/Shrink Factor

$a > 0$ opens up $a < 0$ opens down $a > 1$ taller $0 < a < 1$ shorter

h: Horizontal Translation

Vertex:
(h,k)

k: Vertical Translation

Section 5-3:

Transforming Parabolas

$$y = ax^2 + bx + c$$

Standard Form of a Quadratic Function

$$y = a(x - h)^2 + k$$

Vertex Form of a Quadratic Function

Describe the transformations shown in the equation and identify the vertex and the y-intercept of this quadratic:

$$y = -3(x + 2)^2 + 7$$

2 left 7 up

Vertex $(-2, 7)$

opens down

3x taller (vertical stretch factor)

Graph this quadratic using five points

$$y = -3(x + 2)^2 + 7$$

2 left 7 up

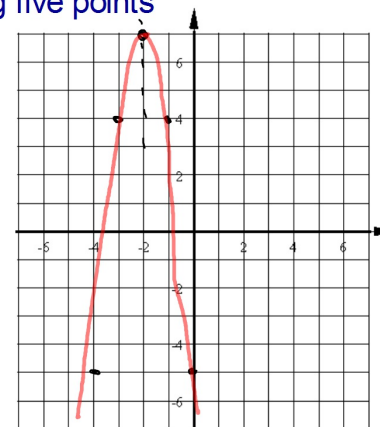
Vertex $(-2, 7)$

first good pt

$$\begin{array}{|c|c|} \hline 1 & x-3 \\ \hline 1 & \\ \hline \end{array} \rightarrow \begin{array}{|c|c|} \hline 1 & \\ \hline & -3 \\ \hline \end{array}$$

2nd good point

$$\begin{array}{|c|c|} \hline 4 & x-3 \\ \hline 2 & \\ \hline \end{array} \rightarrow \begin{array}{|c|c|} \hline 2 & \\ \hline & -12 \\ \hline \end{array}$$



Graph this quadratic using five points

$$y = 2(x - 3)^2 - 5$$

3 right 5 down

Vertex $(3, -5)$

first good pt

$$\begin{array}{|c|c|} \hline 1 & x-2 \\ \hline 1 & \\ \hline \end{array} \rightarrow \begin{array}{|c|c|} \hline 1 & \\ \hline & 2 \\ \hline \end{array}$$

2nd good point

$$\begin{array}{|c|c|} \hline 4 & x-2 \\ \hline 2 & \\ \hline \end{array} \rightarrow \begin{array}{|c|c|} \hline 2 & \\ \hline & 8 \\ \hline \end{array}$$

