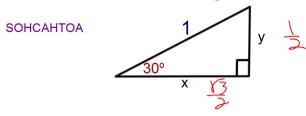
Find the exact length of each leg



Use this triangle to find the exact value of each:
$$\frac{1}{2} = \frac{1}{2}$$
 $\frac{1}{2}$ $\frac{1$

From the 30-60-90 right triangle we found the following:

$$\cos 30^\circ = \frac{\sqrt{3}}{2}$$
 $\sin 30^\circ = \frac{1}{2}$

From the unit circle we found the coordinates of the point on the Unit Circle at 30° is:

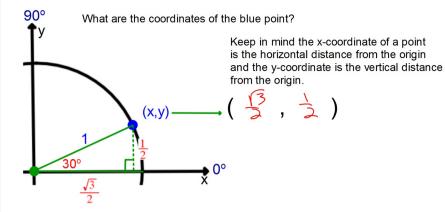
$$(\frac{\sqrt{3}}{2},\frac{1}{2})$$

Coordinates on the Unit Circle:

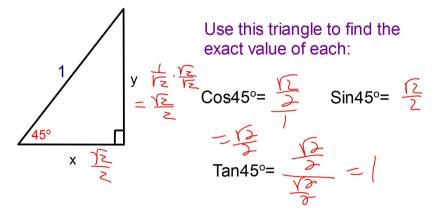
$$(x, y) \longrightarrow (\cos\theta, \sin\theta)$$

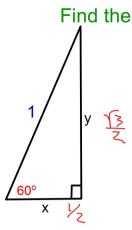
This means that the x and y coordinates for points on the Unit Circle are related to the Sin and Cos of angles from 30-60-90 and 45-45-90 triangles.

Using the triangle from the previous problem answer the following:



Find the exact length of each leg



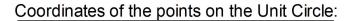


Find the exact length of each leg

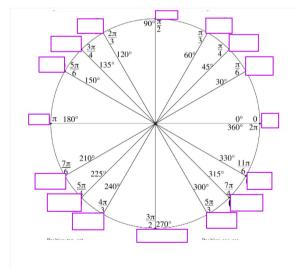
Use this triangle to find the exact value of each:

$$\cos 60^{\circ} = \frac{1}{2} - \frac{1}{3} = \frac{13}{2}$$

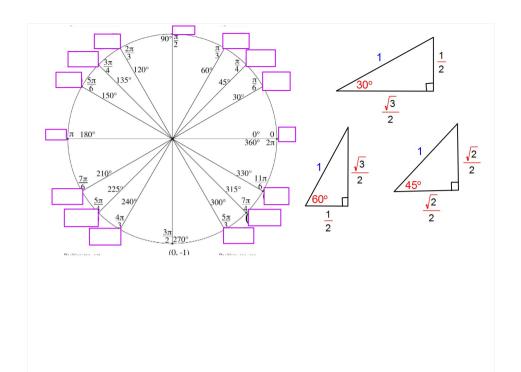
Tan60°=
$$\frac{13}{1}$$
 = $\frac{13}{3}$ = $\frac{13}{3}$ = $\frac{13}{3}$



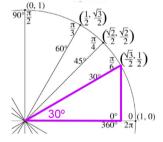
For the coordinates of the points on the x and y axes all you need to know is that the radius of the circle is 1.

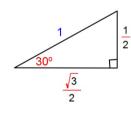


You can use the relationships in the special right triangles to fill out the other coordinates of the points on the Unit Circle $(x,y) \longrightarrow (\cos\theta, \sin\theta)$ Just create a triangle by drawing a vertical line from the point on the Unit Circle to the x-axis to create a right triangle. See the following example.



You can use the unit circle to find the exact value of Sin θ , Cos θ , and Tan θ

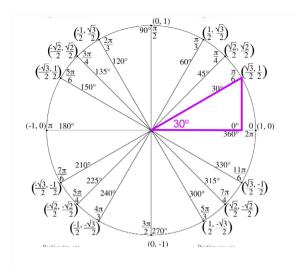


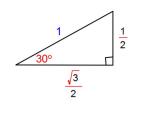


 $Cos\theta$ = the x-coordinate

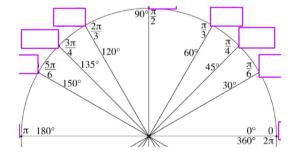
$$\theta$$
 = the x-coordinate
$$Tan\theta = \frac{y}{x}$$

 $Sin\theta$ = the y-coordinate





To find the coordinates of the point at 120° draw a line down to the x-axis to create a 30-60-90 triangle.



To find the coordinates of the point at 120° draw a line down to the x-axis to create a 30-60-90 triangle.

