Classify each by the number of terms.

1. $7x^3 - 80x$

2. -15x

Binomial

Monomial

- 3. $5x^2 3x + 11$
 - Trinomial

- Classify each by its degree.
- 1. 9x 5

2. (x + 7)(x - 4)

Linear

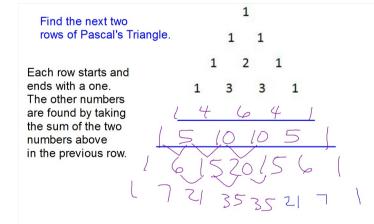
Quadratic

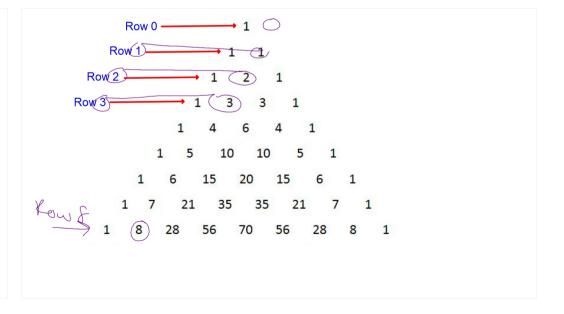
3.
$$7x^3 - 18x$$

4. -108

Cubic

Constant





Work together to expand each.

1.
$$(a + b)^0 =$$

2.
$$(a + b)^1 = 2a + 2b$$

2.
$$(a + b)^2 = 1a^2 + 2ab + 1b^2$$

3. $(a + b)^2 = 1a^2 + 2ab + 1b^2$

3.
$$(a + b)^2 = 101^{-3} + 3a^2b + 3ab^2 + 1b^3$$

4. $(a + b)^3 = 1a^3 + 3a^2b + 3ab^2 + 1b^3$

Do you see a connection to Pascal's Triangle and the results of expanding powers of (a + b)?

$$(a+b)^{0} = 1 \longrightarrow 1$$

$$(a+b)^{1} = a+b \longrightarrow 1a+1b$$

$$(a+b)^{2} = a^{2} + 2ab + b^{2} \longrightarrow 1a^{2} + 2ab + 1b^{2}$$

$$(a+b)^{3} = a^{3} + 3a^{2}b + 3ab^{2} + b^{3} \longrightarrow 1a^{3} + 3a^{2}b + 3ab^{2} + 1b^{3}$$

The coefficients are the numbers from Pascal's Triangle. The row number corresponds to the exponent from the original problem.

Do you notice a pattern in the exponents?

$$(a+b)^{0} = 1$$

$$(a+b)^{1} = a+b$$

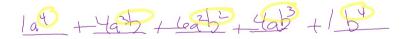
$$(a+b)^{2} = a^{2} + 2ab + b^{2}$$

$$(a+b)^{3} = a^{3} + 3a^{2}b + 3ab^{2} + b^{3}$$

For the first variable the exponents decrease by one as you move across the page left to right.

For the second variable the exponents increase by one as you move across the page right to left.

Expand this: $(a + b)^4$



If you add up the exponents in each term they should have a sum of 4.

Do you notice a pattern with the signs?

$$(a^{3}-b)^{7} = a^{7} - 7a^{6}b + 21a^{5}b^{2} - 35a^{4}b^{3} + 35a^{3}b^{4} - 21a^{2}b^{5} + 7ab^{6} - b^{7}$$

The signs alternate starting with a positive.

$$(a+b)^4 = a^4 + 4a^3b + 6a^2b^2 + 4ab^3 + b^4$$

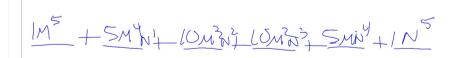
How would this expansion be different? $(a - b)^4$

$$(a - b)^4 = (a + -b)^4 = a^4 + 4a^3(-b) + 6a^2(-b)^2 + 4a(-b)^3 + (-b)^4$$

Expand each:

1.
$$(M + N)^5$$

Use row 5 of Pascal's Triangle.



2. (C - D)⁶

Use Row 6 of Pascal's Triangle.