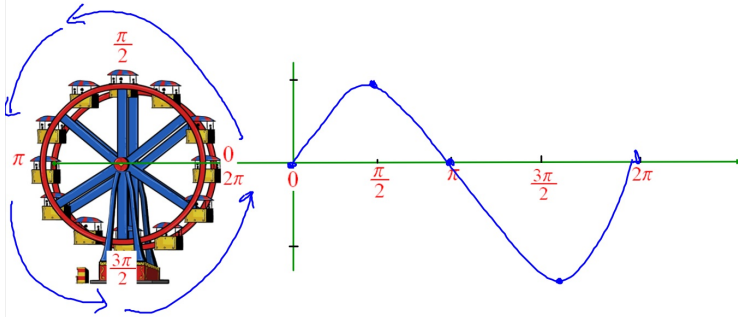


The graph of $y = \sin \theta$

- The y-coordinates around the Unit Circle
- The height above the center point as a Ferris Wheel rotates.



<http://www.sfu.ca/~jtmulhol/calculus-applets/GeoGebra-Worksheets/trigonometric-graphs.html>

<http://www.intmath.com/trigonometric-graphs/1-graphs-sine-cosine-amplitude.php>

$$Y_1 = \sin \theta$$

window: x $[0, 4\pi]$
y $[-3, 3]$

Make sure your calculator
is in radians mode.

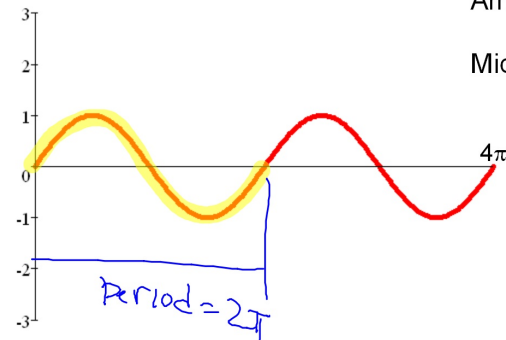
$$y = \sin \theta$$

Notes

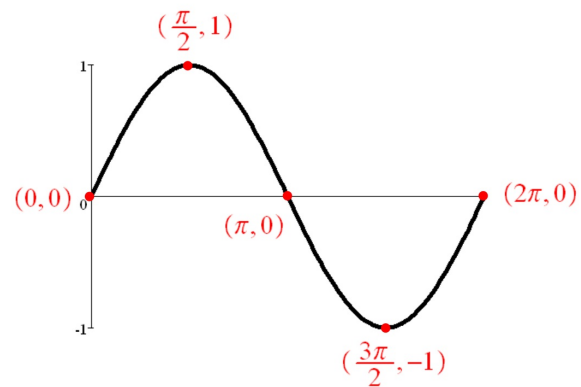
Period = 2π

Amplitude = 1

Midline: $y = 0$

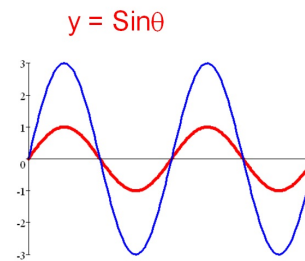


The Parent Function $y = \sin\theta$

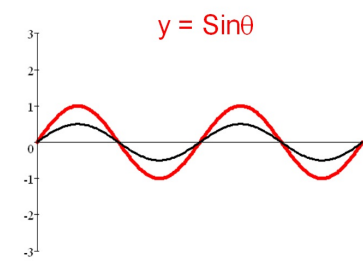


Graph the following and describe what happens to the graph.

1. $Y = 3\sin\theta$



2. $Y = 0.5\sin\theta$



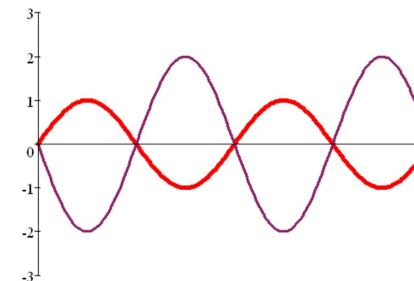
$y = a\sin\theta$

a = Amplitude also a vertical stretch or shrink.

$y = -2\sin\theta$

$y = \sin\theta$

$y = -2\sin\theta$ is upside down and twice as tall as the parent function $y = \sin\theta$



$$y = a\sin\theta$$

a = Amplitude

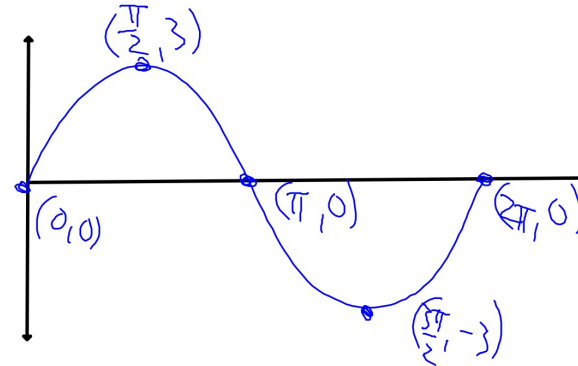
$a < 0$ x-axis reflection
upside down

Sketch one period of the graph of

$$y = 3\sin\theta$$

Notes

Label the coordinates of all x-intercepts, minimums, and maximums.



Sketch one period of the graph of

$$y = -5\sin x$$

Label the coordinates of all x-intercepts, minimums, and maximums.

