The number of cases of flu is increasing 22% every 4 days.) On February 1 there were 176 cases of flu.

a. Find the number of cases 12 days later.

$$y = 176(1.22)^{x=3}$$
 12=4 = 3

b. Find the nmber of cases of flu 3 weeks later.

The number of cases of flu 3 weeks later.
$$4 = 176(1.22)^{2} + 9.25 = 9.25$$

$$500$$

Other exponential growth and decay situations:

The number of cells doubles every 5 hours.

- This represents the amount of time it takes for a quantity to double its amount.
- the base of the exponential equation is

The half-life of a radioactive material is two weeks.

- This represents the amount of time it takes for a quantity to reduce to half its amount.
- the base of the exponential equation is

The number of deer in the county has been decreasing 5.6% every 5 years. The number of deer in 2009 was 9,500.

a. Find the number of deer in 2014.

$$y = 9500(.944)^{x=1}$$

$$= 8968$$

$$y = 9500(.944)^{x=\frac{11}{5}}$$

$$= 8369$$

b. Find the number of deer in 2020.

S

The number of cells of bacteria doubles every 2 hours

If there are 32 cells at midnight, how many cells with there be 2 days later?

$$32(7)^{x=24}$$
 $2dows = 48hrs$
= $536,570,912$

The number of cells of a certain bacteria doubles every 20 minutes.

a. At 6:00 am there were 150 cells. Model this situation with an exponential equation.

$$y = 150(2)^{x}$$

b. Find the number of cells at 1:00pm. $y = 150(2)^{x}$ $y = 150(2)^{x}$ y = 150(2

A company claims that if you invest \$15,000 your money will double every 4 years.

678, 822.51

a) How much will you have in 12 years?

$$X = 12 \div 4 = 3$$
 -> 120,000

b) How much will you have in 22 years?

a. Model this situation with an exponential equation.

$$y = 350(.5)^{x}$$

b. Find the amount remaining at 3:00 pm.

You can now finish Hwk #14

Practice Sheet Sec 8-8

Due Tomorrow

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Exponents:

- V.4 multiplication rulesV.5 division rules
- V.6 mult & div rules
- V.7 power rule

Scientific Notation:

- W.1 convert between SN and Std
- W.3 Multiply #'s in SN W.4 Divide #'s in SN

Exponential Growth and Decay:

X.3 Exponential growth and Decay story problems.