

NAME: \_\_\_\_\_

## Determining Functions Interactive Notes

### VOCABULARY:

**Relation:** A **relation** is a set of ordered pairs.

**Domain:** The **domain** of the relation is the set of all first components of the ordered pairs. This is also called the **x value** or the **input**.

**Range:** The **range** of the relation is the set of all second components of the ordered pairs. This is also called the **y value** or the **output**.

Now we will consider a special kind of relation called a function.

**Function:** In order for a relation to be called a **function**, each x value must have exactly one y value. You cannot have two or more y values or no y values.

**Vertical Line Test:** This is a special test that can be used to determine if a graph is a function. If you can draw a vertical line so that it intersects a graph more than once, the graph is **NOT A FUNCTION**. If you cannot draw a vertical line that intersects a graph more than once, then the graph **IS A FUNCTION**.

1.)  $\{(-2, 5), (-1, 2), (0, 1), (2, 5)\}$

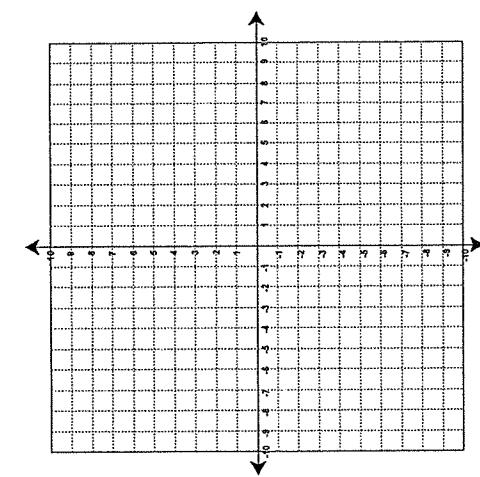
Does this relation represent a function?

Why or why not?

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2.)  $\{(2, 8), (-3, -7), (0, 2), (-1, -1)\}$

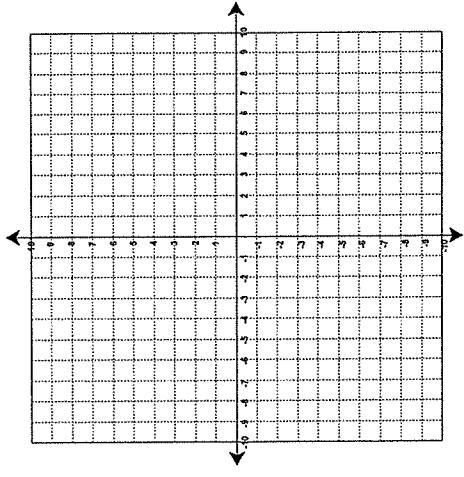
Does this relation represent a function?

Why or why not?

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3.)  $\{(2, 0), (2, 4), (0, 2), (4, 2)\}$

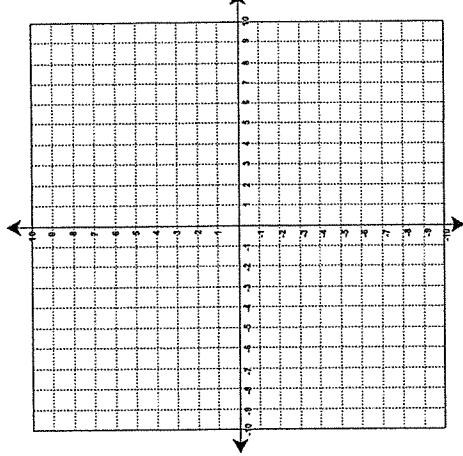
Does this relation represent a function?

Why or why not?

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4.)  $\{(-3, 3), (-4, 4), (-3, -3), (0, 0)\}$

Does this relation represent a function?

Why or why not?

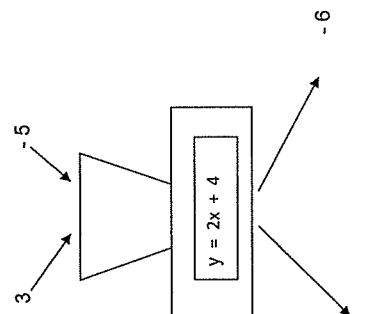
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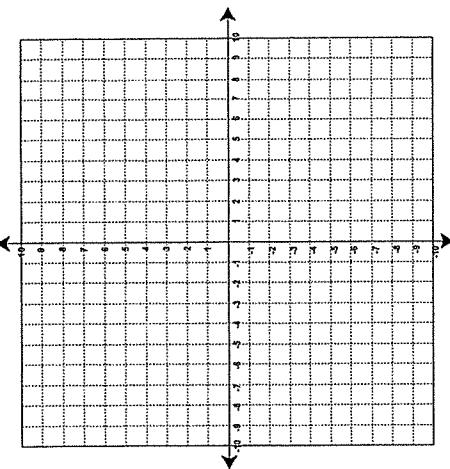
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If it helps, think of a function as a machine that has been programmed with a certain correspondence or rule. An input value is then fed into the machine, the machine does the correspondence or rule, and the result is the output.

**Function Machine**

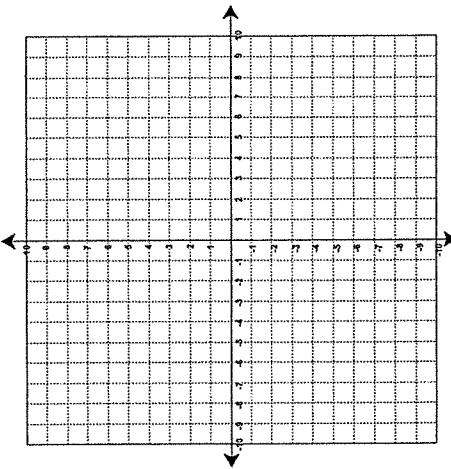


- 6.) Graph the function  $y = 2x + 4$



- 7.) Make a table of values and graph the function  $y = -2x + 3$

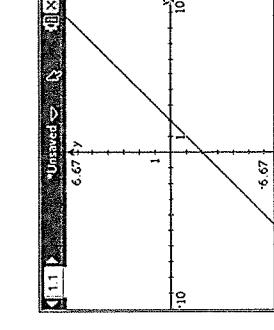
x	y



- 5.) Make a table of more ordered pairs for this function.

x Input Domain	Correspondence Rule	y Output Range
	$y = 2x + 4$	
	$y = 2x + 4$	
	$y = 2x + 4$	
	$y = 2x + 4$	
	$y = 2x + 4$	
	$y = 2x + 4$	

Let's practice looking at graphs and determining if the graph is a function.



8.)

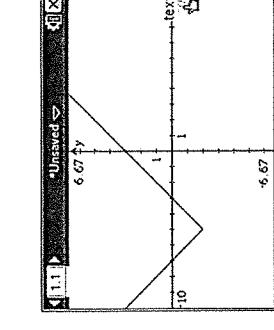
Function or Not a Function

Why or Why Not?

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9.)

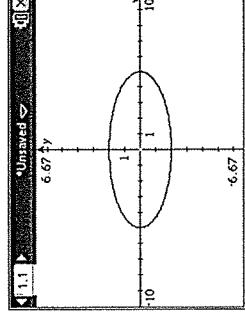
Function or Not a Function

Why or Why Not?

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10.)

Function or Not a Function

Why or Why Not?

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11.)

Function or Not a Function

Why or Why Not?

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12.)

Function or Not a Function

Why or Why Not?

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Name \_\_\_\_\_ Date \_\_\_\_\_ Hour \_\_\_\_\_

**Evaluating Functions & Writing Domain/Range Notes**

Example 1) Write the following function in function notation $y = 2x - 4$	Your Turn 1) Write the following function in function notation $y = -3x + 5$
Example 2) Evaluate the following function If $f(x) = -2x + 5$ , then find $f(4)$	Your Turn 2) Evaluate the following function If $f(x) = 4x - 1$ , then find $f(-2)$
Example 3) Evaluate the following function If $f(x) = x^3 + 5(x - 2)$ , then find $f(-1)$	Your Turn 3) Evaluate the following function If $f(x) = 3x^2 - 2(x + 4)$ , then find $f(3)$
Rules for writing the domain and range	
1. _____	
2. _____	
Example 4) State the domain and range of the following relation $\{(4,0),(-2,4),(6,-1),(-4,0)\}$	Your Turn 4) State the domain and range of the following relation $\{(-2,-9),(3,2),(5,4),(8,-3),(3,5),(1,7)\}$