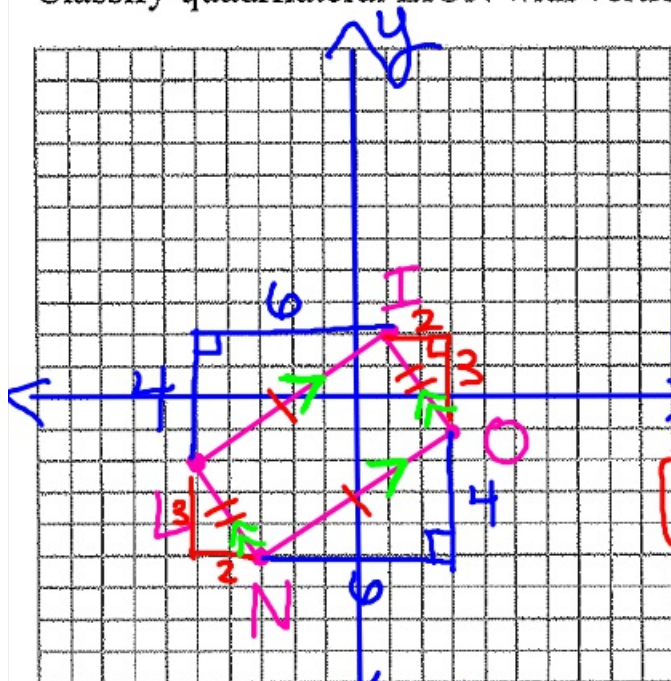


Given the vertices of a quadrilateral, it can be classified by characterizing it. You start by calculating the length and slope of each side.

Classify quadrilateral LION with vertices L(-5, -2), I(1, 2), O(3, -1), N(-3, -6).



$$\begin{aligned} \boxed{LI:} \quad & 4^2 + 6^2 = LI^2 \\ & 16 + 36 = LI^2 \\ & \sqrt{52} = \sqrt{LI^2} \\ & \sqrt{52} = LI \end{aligned}$$

$$\begin{aligned} \boxed{NO:} \quad & 4^2 + 6^2 = NO^2 \\ & \sqrt{52} = NO \end{aligned}$$

$$\begin{aligned} \boxed{IO:} \quad & 2^2 + 3^2 = IO^2 \\ & 4 + 9 = IO^2 \\ & \sqrt{13} = \sqrt{IO^2} \\ & \sqrt{13} = IO \end{aligned}$$

$$\begin{aligned} \text{slope: } LI &= \frac{4}{6} = \frac{2}{3} \\ NO &= \frac{4}{6} = \frac{2}{3} \\ LN &= -\frac{3}{2} \\ IO &= -\frac{3}{2} \end{aligned}$$

$$\begin{aligned} \boxed{LN:} \quad & 2^2 + 3^2 = LN^2 \\ & \sqrt{13} = LN \end{aligned}$$

The quadrilateral is a rectangle because $LN \perp NO$ and $IO \perp LI$, $LI \parallel NO$ and $LN \parallel IO$, and opposite sides are congruent ($LI = NO = \sqrt{52}$; $LN = IO = \sqrt{13}$).