

LEFT

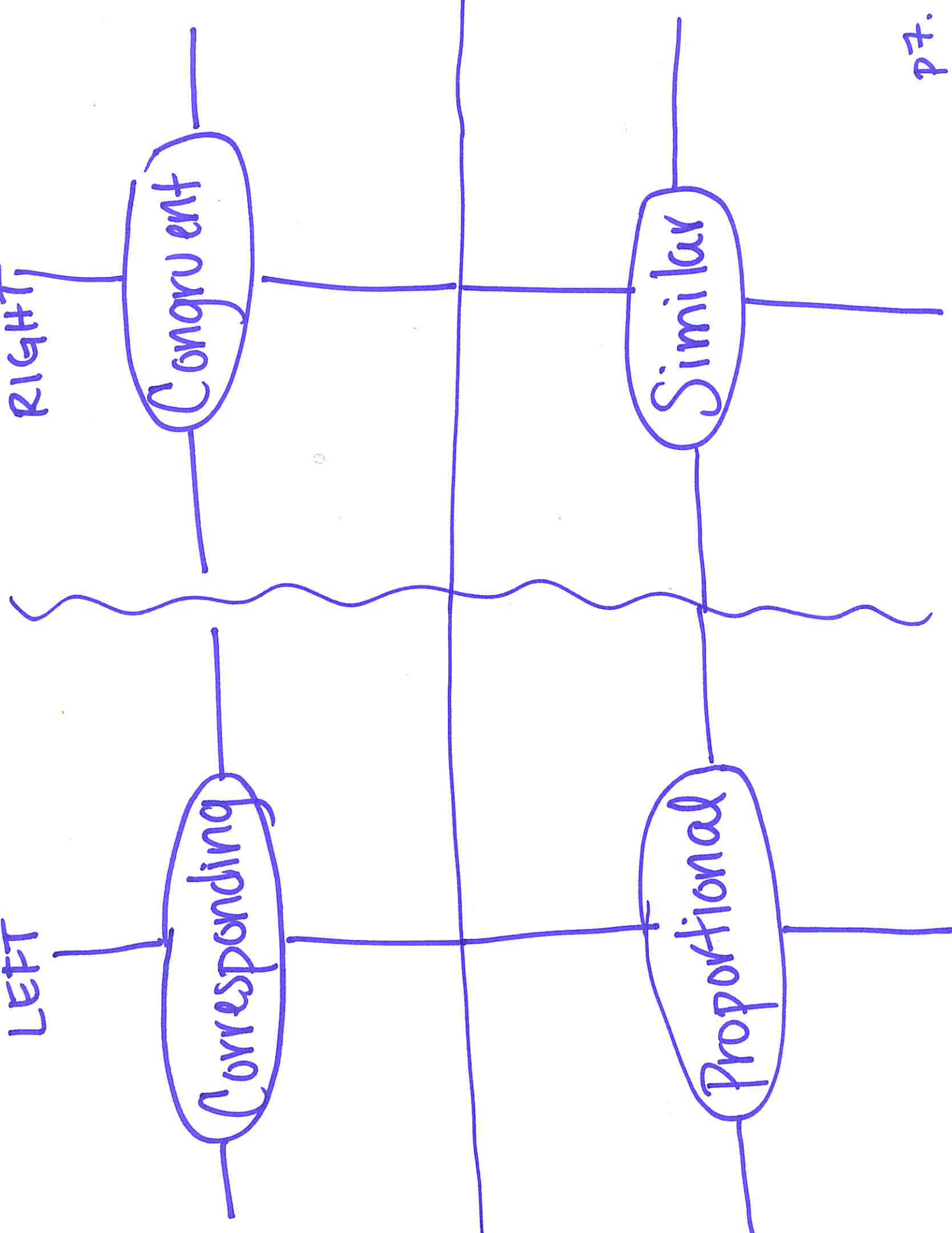
Corresponding

Congruent

RIGHT

Similar

Proportional



Definition:

Angles, sides, parts in the same place from different figures.

Facts/Reminders:

- \* Don't have to be congruent.
- \* Sometimes a relationship with parallel lines.
- \* Same position.

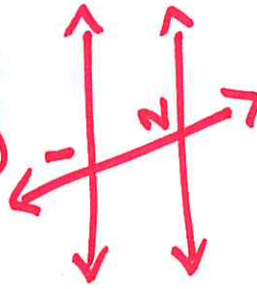
\* For Similarity:

- ① Corresponding sides proportion
- ② Corresponding angles congruent

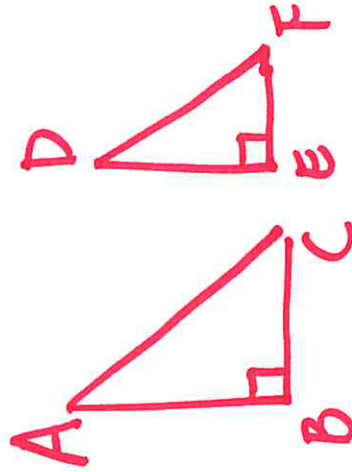
## Corresponding

Non Example:

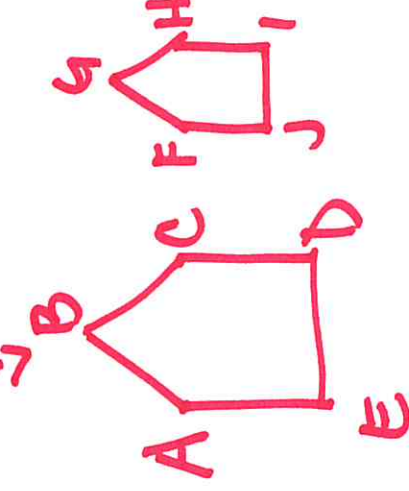
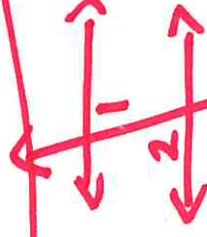
Example:



$\overline{BC}$  corresponds to  $\overline{EF}$ .



$\angle A$  corresponds to  $\angle D$ .



$\angle B$  does not correspond to  $\angle J$ .

Definition:

When angles, sides, parts have equal measures or length.

Facts / Reminders:

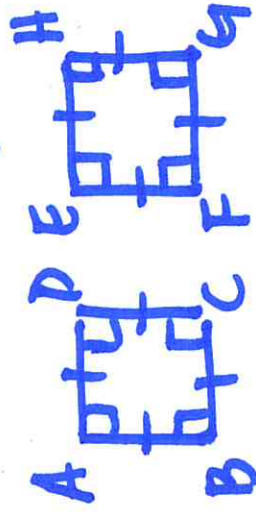
- \* Reflection, Rotation, Translation are congruent
- \* Dilations are NOT congruent. (similar)
- \* Squares / rectangles have congruent angles.

**Congruent**

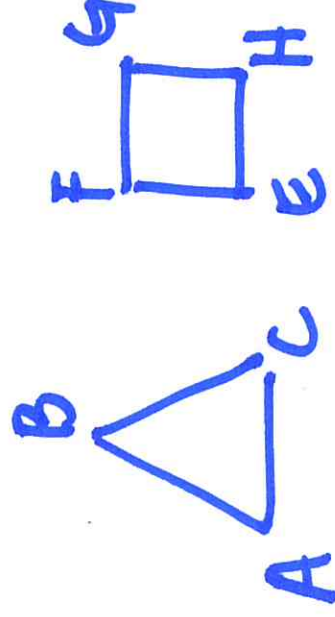
\* Vertical angles.

Non Example:

Example:



$ABCD \cong EFGH$



$\triangle ABC \not\cong EFGH$

Definition:

When sides of a figure or object have the same (equal) ratios.

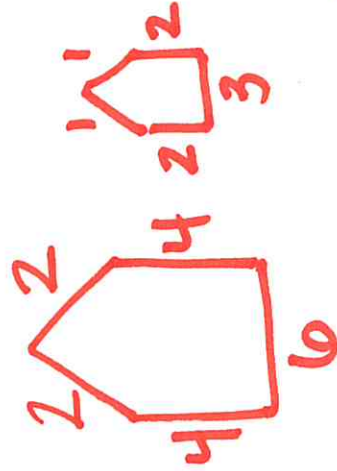
Facts/Reminders:

- \* Ratios Equal. (Same Scale factor)
- \* Only sides \*
- \* For two figures to be similar all sides must be proportional.

(unless using AA~ or SAS~ for triangles)

# Proportional

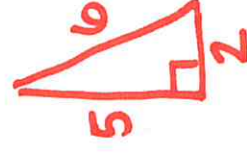
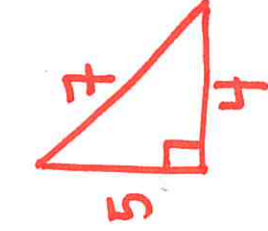
Example:



$$\frac{2}{1} = \frac{4}{2} = \frac{6}{3} = \boxed{2}$$

The scale factor from small to large is 2.

Non-Example:



$$\frac{7}{6} \neq \frac{4}{2}$$

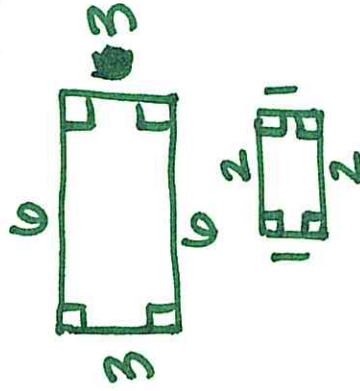
## Definition:

Figures that have the same shape, but different size.

① Corresponding angles congruent.

② Corresponding sides proportional.

Example:



① All angles are  $90^\circ$ .

$$\textcircled{2} \frac{6}{2} = 3$$

$$\frac{3}{1} = 3$$

## Similar

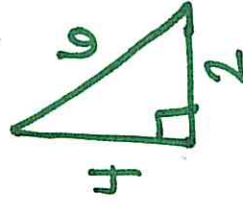
## Facts / Reminders:

\* AA $\sim$ , SAS $\sim$ , SSS $\sim$  work for ONLY TRIANGLES.

\* Same Shape.

\* Size does not matter!

Non-Example:



$$\frac{4}{4} \neq \frac{4}{2}$$

