

Part II: Find the value of x that makes lines u and v parallel.

9. The angles in the diagram are

angles and they are



$$\chi = \varphi$$

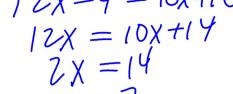
11. The angles in the diagram are angles and they are



10. The angles in the diagram are

angles and they are (choose congruent or supplementary).

OX + 10X + 10X



$$\chi = 7$$

12. The angles in the diagram are

angles and they are

3x + 5

4x-7+3x+5=180 7x-2=180 7x=18 x=4

These prove lines are II.

SST 25 are suppl.

SSE 25 are suppl.

Corresp 25 are =:

Alt Int/ext are =

Trible do not prove lines on

Vert 25 =

Line(187 pair SUP).

25. 1 & 5, 7 & 3, 2 & 6, 8 & 4

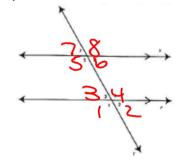
26. 4 & 5, 3 & 6

27. 3 & 5, 4 & 6

28. 1 & 8, 2 & 7

29. 1 & 7, 2 & 8

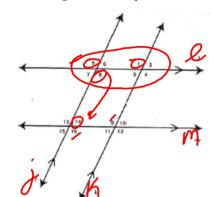
Identify all pairs of angles of the given type using the diagram below.



Hwk #23 Topic 6 Rev

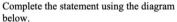
- v 17. 120°; SSI
- 1. alternate interior
- 2. alternate exterior
- 3. SSI
- 4. corresponding
- 5. corresponding
- 6. alternate exterior
- 7. vertical
- 8. SSI
- 9. alternate interior
- 10. SSE
- 11. j || k
- 12. $1 \parallel m$
- 13. 1 || m
- 14. $j \parallel k$
- 15. j || k
- 16. j || k

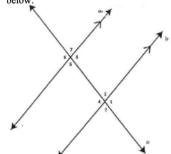
- and the second of the second
- 18. 72°; AI
- 19. 112°; corresponding
- 20. 122°; SSE
- 21. 120°; AE
- 22. 54°; vertical
- 23. 80°; AI
- 24. 65°; SSI



Use the diagram below for questions 1-24.

- 30. 6
- 31. 4
- 32. 6
- 33. 1
- 34. 7



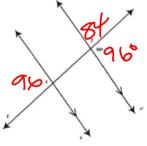


- 30. $\angle 2$ and ____ are corresponding angles
- 31. ∠5 and ____ are alternate interior angles
- 32. ∠4 and are same-side interior angles
- 33. ∠8 and ____ are alternate exterior angles
- 34. ∠1 and ____ are same-side exterior angles

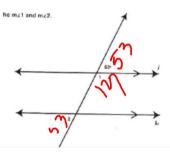
35.
$$1 = 96^{\circ}$$
; $2 = 84^{\circ}$

36.
$$1 = 130^{\circ}$$
; $2 = 50^{\circ}$

35. Find $m \angle 1$ and $m \angle 2$. Justify your answer.



36. Find $m \angle 1$ and $m \angle 2$. Justify your answer.

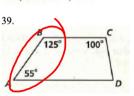


38. 1 || m because SSI angles are supplementary

39. BC || AD because SSI angles are supplementary

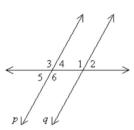
Which lines or segments are parallel? Justify your answer.

65° n



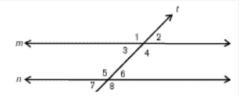
37.
$$x = 40$$

37. Find the value of x that makes p||q if $m\angle 1 = 3x$ and $m\angle 6 = 120^{\circ}$



Directions: For #1-8, use the diagram to the right. 1. I can identify pairs of alternate interior angles. Circle all that apply. A) 1 and 2 C) 2 and 6 D) 4 and 6 E) 3 and 5 (F) 4 and 5 2. I can identify pairs of same side interior (consecutive) angles. Circle all that apply.

A) 1 and 2 B) 3 and 6 C) and 5 D) and 6 E) 7 and 3 F) 1 and 5 3. I can identify pairs of corresponding angles. Circle at that apply. A) 1 and 2 B) 3 and 6 C) 2 and 6 D) 4 and 6 E) 7 and 3 F) 4 and 5 A) 1 and 4 B) 3 and 6 C) 2 and 3 D) 4 and 6 E) 7 and 3 rean identity pairs of congruent angles. Circle all that apply (A) 1 and 4 (B) 3 and 6 (C) 2 and 3 6. I can identify pairs of supplementary angles Circle all that apply. A) 1 and 4 B) 3 and 6 C) 2 and 3 D) 4 and 6 E) 7 and 3 7. I can identify pairs of alternate exterior angles. Circle all that apply.
A) 1 and 4 B) 3 and 6 C) and 8 D) 4 and 6 E) 7 and 2 F 8. I can identify pairs of sape-side (consecutive) exterior angles. Circle all that apply.
(A) and 7 B) 3 and 6 C) 2 and 8 D) 4 and 6 E) 7 and 3 F) 1 and 5

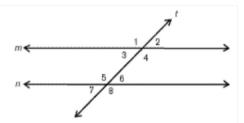


9. In the diagram above, $m \parallel n$.

In the first row determine whether each pair of angles is supplementary or congruent.

In the 2nd row, identify the angle pairs as one of the following: Alternate-Interior, Alternate Exterior, Vertical, Linear Pair, Corresponding, or Consecutive Interior.

Pair	1 and 2	3 and 6	2 and 6	4 and 6	7 and 6	1 and 8
Supplementary or Congruent	SUP'	111	1	6N		2//
What type of angles are they?	Fair	digk	COY1.	45×	12/6	×



11. Given: m||n **Prove:** $m \angle 3 + m \angle 8 = 180^{\circ}$

Statement

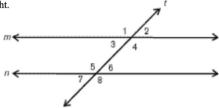
Reason

1) m|n1) C (VV)2) $m \angle 3 = m \angle 6$ 2) C (VV)3) C (VV)3) Definition of Linear Pair

4) C (VV)4) C (VV)4) C (VV)4) C (VV)4) C (VV)4) C (VV)5) C (VV)6) C (VV)6) C (VV)7) C (VV)8) C (VV)9) C (VV)9) C (VV)1) C (VV)1) C (VV)1) C (VV)1) C (VV)1) C (VV)2) C (VV)1) C (VV)1) C (VV)2) C (VV)1) C (VV)1) C (VV)1) C (VV)2) C (VV)3) C (VV)4) C (VV)4) C (VV)1) C (VV)2) C (VV)1) C (VV)2) C (VV)3) C (VV)4) C (VV)1) C (VV)2) C (VV)1) C (VV)1) C (VV)1) C (VV)1) C (VV)2) C (VV)1) C (VV)2) C (VV)3) C (VV)4) C (VV)1) C (VV)1) C (VV)1) C (VV)2) C (VV)3) C (VV)4) C (VV)1) C (VV)1) C (VV)1) C (VV)2) C (VV)3) C (VV)4) C (VV)1) C (VV)

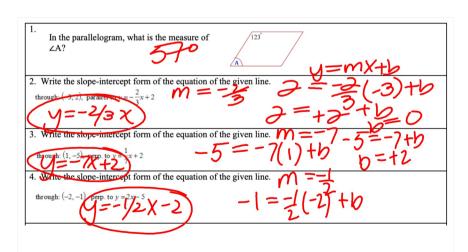
I can complete a two-column proof of parallel lines.

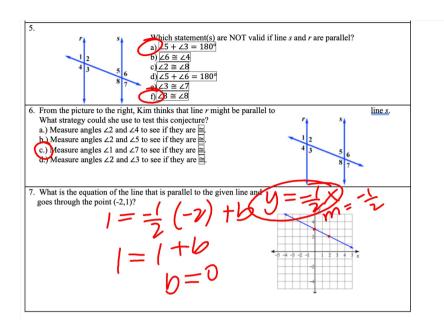
For #10 and #11 use the diagram to the right.



10. Given: m|n Prove: $\angle 6 \cong \angle 3$

Statements	Reasons		
1) $m n$	1) Given		
2) ∠2 ≅ ∠6	2) COYYesp		
3) ∠2 ≅ ∠3	3) V L Y V.		
4) 16=13	4) transt, pop.		





11. GIVEN: $n \parallel m, \angle 1 \cong \angle PROVE$: $p \parallel r$	2
Statements	Reasons
$n \mid\mid m$	GIVEN
∠1 ≃ ∠3	altint -
∠1 ≃ ∠2	GIVEN
∠2 ≅ ∠3	A It intes are
$p \parallel r$	A TEMTZOUVE-

