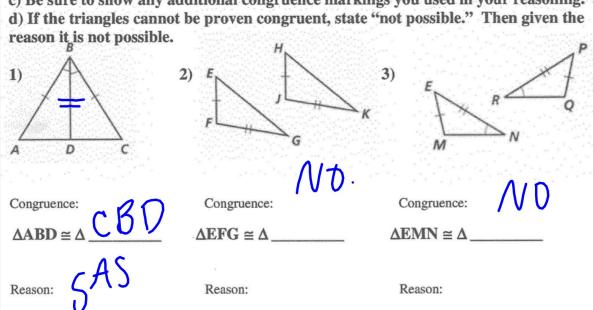
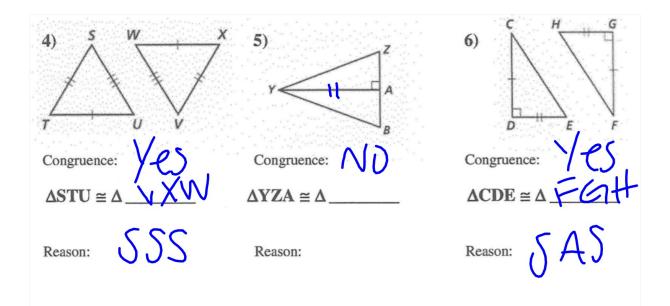
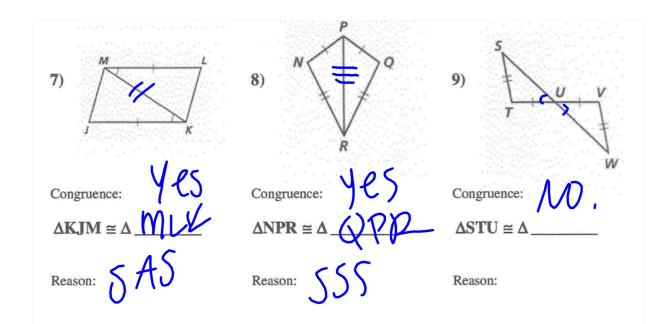
a) Determine whether the following triangles are congruent.

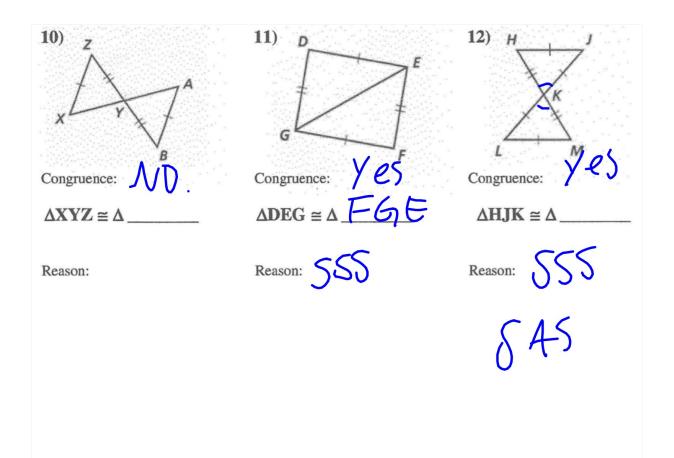
b) If they are, name the triangle congruence (pay attention to proper correspondence when naming the triangles) and then identify the Theorem or Postulate (SSS, SAS, ASA, AAS, HL) that supports your conclusion.

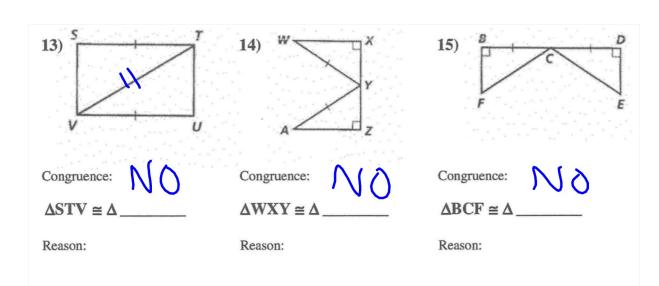
c) Be sure to show any additional congruence markings you used in your reasoning.

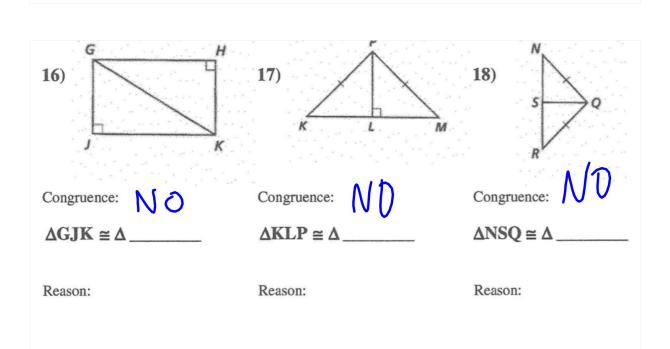


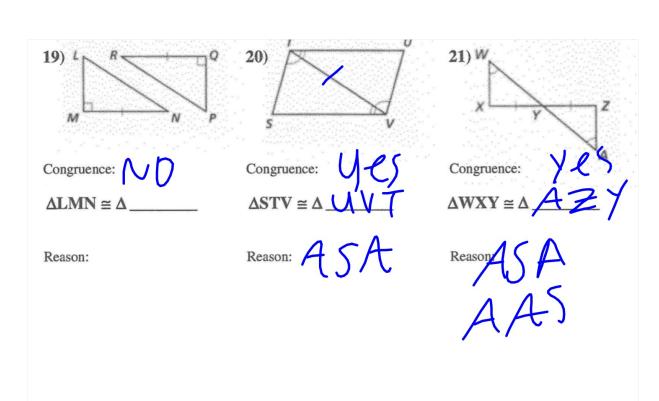


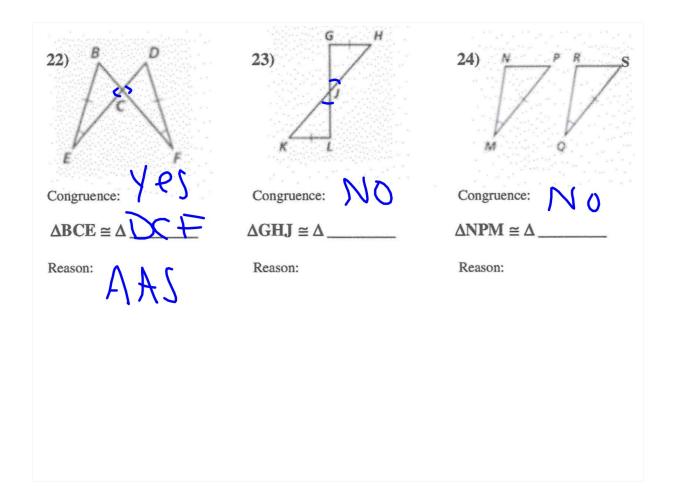


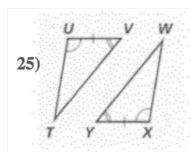


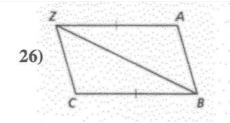


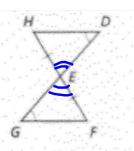












Congruence: Ves

Congruence:

Congruence: 483

 $\triangle BCZ \cong \Delta$ 

ΔEFG ≅ Δ E H I

Reason:

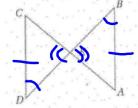
Reason:

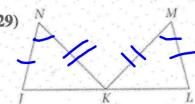
Reason: AAS

27)

Use the given information to mark the diagram appropriately. Name the triangle congruence (pay attention to proper correspondence when naming the triangles) and then identify the Theorem or Postulate (SSS, SAS, ASA, AAS, HL) that would be used to prove the triangles congruent. If the triangles cannot be proven congruent, state "not possible."

28)





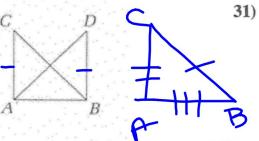
Given:  $\overline{CD} \cong \overline{AB}$ ;  $\angle B \cong \angle D$ 

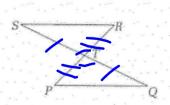
Given:  $\overline{JN} \cong \overline{LM}$ ;  $\overline{NK} \cong \overline{MK}$  $\angle N \cong \angle M$ 

Congruence:

ΔJKN ≅ Δ L







Given:  $\overline{AC} \cong \overline{BD}; \overline{AD} \cong \overline{BC}$ 

Given:  $\overline{SQ}$  and  $\overline{PR}$  bisect each other

Congruence:

AABC ≅ A BA

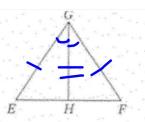
Reason:

Congruence:  $\Delta \mathbf{RST} \cong \Delta$ 

Reason:

SAS

32)



Given:  $\overline{GH}$  bisects  $\angle EGF$ ;

 $\overline{EG} \cong \overline{FG}$ 

Congruence:  $\triangle EGH \cong \triangle + C7+$ 

Reason: SAS

## H. Geometry Section 4.4 – Using Congruent Triangles: CPCTC

**Objective:** I will be able to use triangle congruence and CPCTC to prove that two triangles are congruent.

With SSS, SAS, ASA, and AAS you know how to use three parts of triangles to show that the triangles are \_\_\_\_\_\_. Once you have triangles congruent, you can make conclusions about their other parts because, by definition, corresponding parts of congruent triangles are congruent. You can abbreviate this as

Example 1: Umbrella Frames: In an umbrella frame, the stretchers are congruent, and they open to angles of equal measure.  $\ _{C}$ 

Rib

Given:  $SL \cong SR$  and  $\angle 1 \cong \angle 2$ 

Prove that the angles formed by the shaft and the ribs are congruent.

Prove that the angles formed by the shart and the rios are congruent.

Prove  $\angle 3 \cong \angle 4$  takements Peasons

1.  $SL \cong SP$ 2.  $\angle 1 \cong \angle 3$ Conversely  $\angle 3 \cong \angle 4$ Conversely  $\angle 4 \cong 4$ Conversely  $\angle 4 \cong \angle 4$ Conversely  $\angle 4 \cong 4$ Con

 $4. \Delta LSC = 50$  5A5 L3 = 24 CPCTC

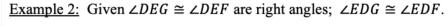
QC 1: Given  $\angle Q \cong \angle R$ ,  $\angle QPS \cong \angle RSP$ 

Prove  $SQ \cong PR$ 

Statements Peasons

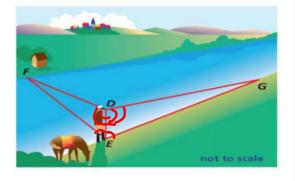
<QPSZ<PSP

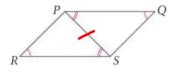
PS ≈ PS



Prove  $EF \cong EG$ 

∠DEG≅DEF AIITY∠U≅. ΔDEF≅ADEG ASA EF≅EG CPCTC





Hwk #23 - due tomorrow

Sect. 4.4

Pages: 222-224

Problems: 2-6, 8, 12

IXL #13 - K.3 & K.4 due Friday at 4pm!