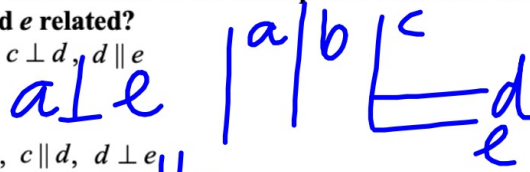


$a, b, c, d,$ and e are distinct lines in the same plane. For each combination of relationships between the lines, how are a and e related?

1. $a \parallel b, b \parallel c, c \perp d, d \parallel e$



2. $a \perp b, b \parallel c, c \parallel d, d \perp e$

alle

3. $a \parallel b, b \parallel c, c \perp d, d \perp e$

alle

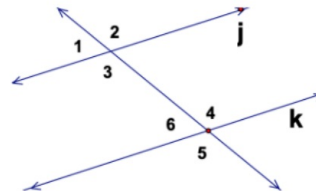
4. $a \perp b, b \perp c, c \parallel d, d \perp e$

$a \perp e$

5. Use the diagram at the right:

Given: $j \parallel k$

Prove: $\angle 3 \cong \angle 4$



Statements	Justifications
1. $j \parallel k$	Given

2. $\angle 3 \cong \angle 2$

2. Vert. Angles are

3. $\angle 2 \cong \angle 4$

3. corresp. $\cong$.
 $\angle$'s are $\cong$.

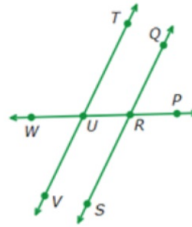
4. $\angle 3 \cong \angle 4$

4. Subst.

6. Use the diagram at the right:

Given: $\angle SRU$ and $\angle RUV$ are supplementary.

Prove: $\overleftrightarrow{QS} \parallel \overleftrightarrow{TV}$



Statements	Justifications
$\angle SRU$ and $\angle RUV$ oppi.	Given
$SRU + RUV = 180$	Definition of supplementary angles
$m\angle PRS + m\angle SRU = 180^\circ$	Adj angles = 180
$SRU + RUV = PRS + SRU$	Transitive Property
$m\angle RUV = m\angle PRS$	Algebra
$QS \parallel TV$	Corresponding angles are congruent