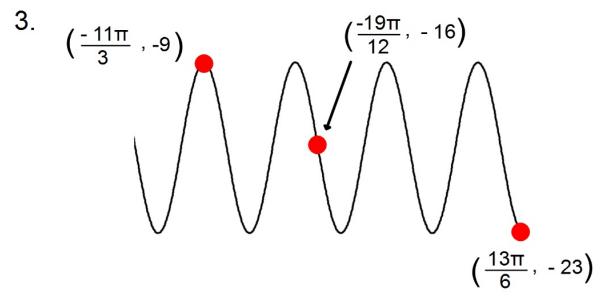


Amplitude = 7

Eq of Midline:  $y = 5$

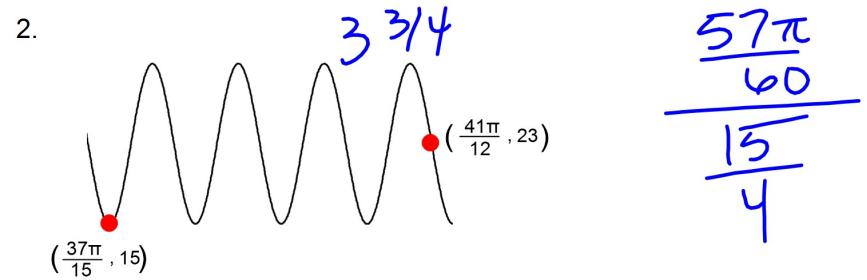
Period =  $\frac{32\pi}{21}$



Amplitude = 7

Eq of Midline:  $y = -1b$

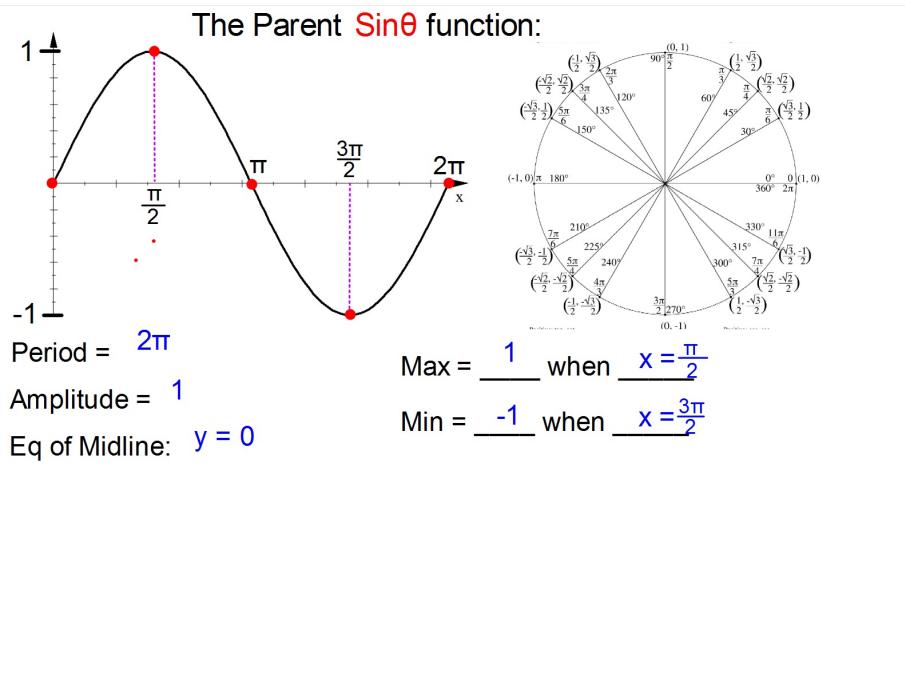
Period =  $\frac{5\pi}{3}$



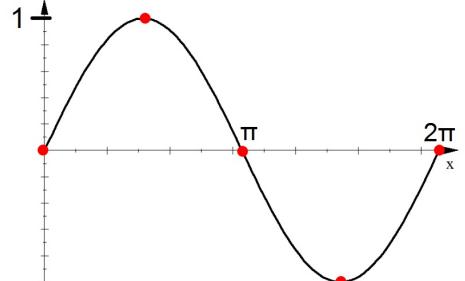
Amplitude = 8

Eq of Midline:  $y = 23$

Period =  $\frac{19\pi}{75}$



### The Parent $\sin\theta$ function:

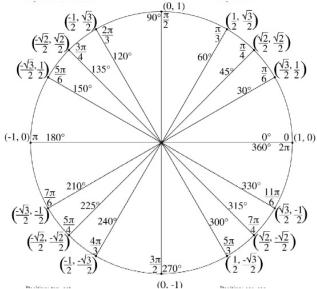


x-int at  
 $0, \pi, 2\pi$

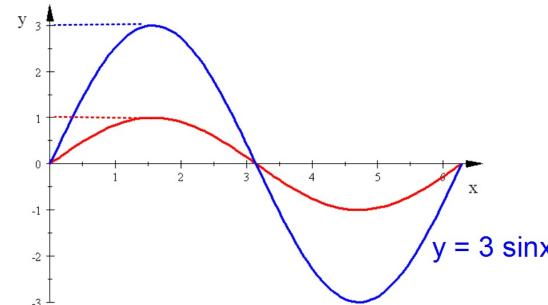
y-int  
0

Domain:  
 $(-\infty, \infty)$

Range:  
 $[-1, 1]$

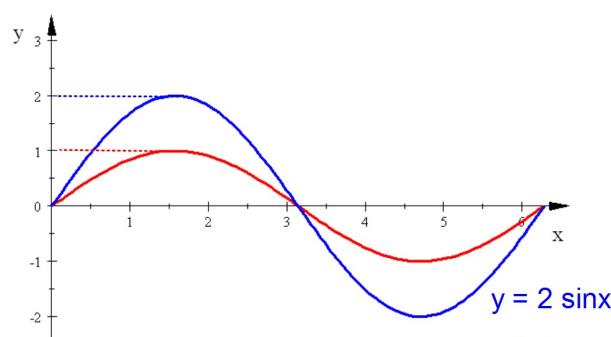


### Parent Function: $y = \sin x$



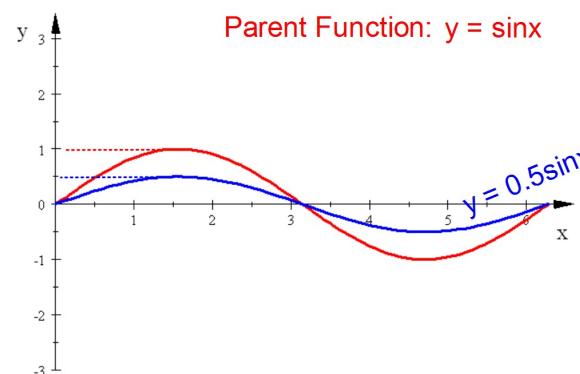
this graph is three times taller than the Parent Function

### Parent Function: $y = \sin x$



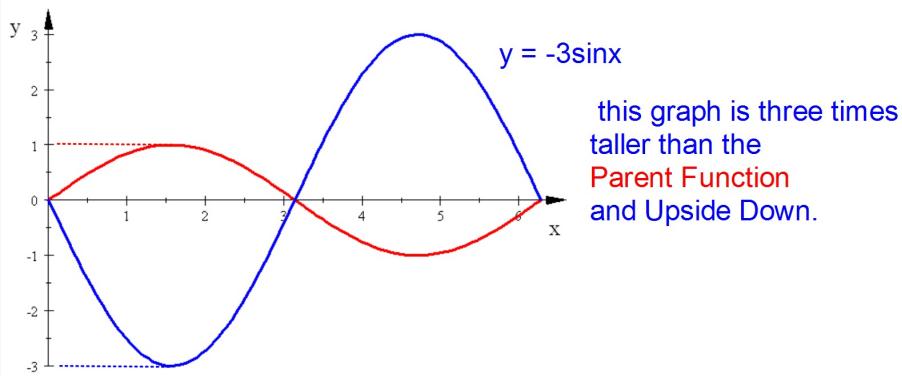
this graph is twice as tall as the Parent Function

### Parent Function: $y = \sin x$



this graph is half as tall as the Parent Function

Parent Function:  $y = \sin x$



this graph is three times taller than the Parent Function and Upside Down.

$y = a\sin x$

$a = \text{Amplitude}$  (Vertical Stretch Factor)

Can you have a negative Amplitude?

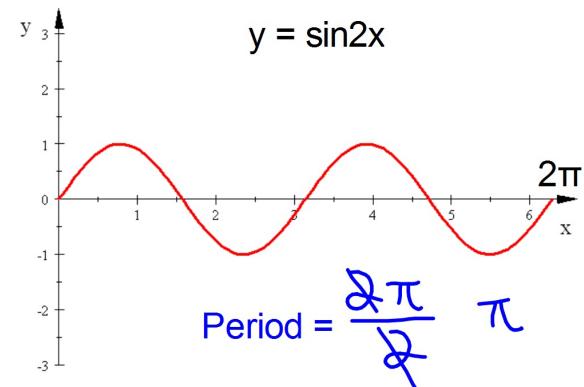
No, since amplitude is a distance, it can't be negative.

If  $a < 0$  then there is an x-axis reflection.  
Upside down

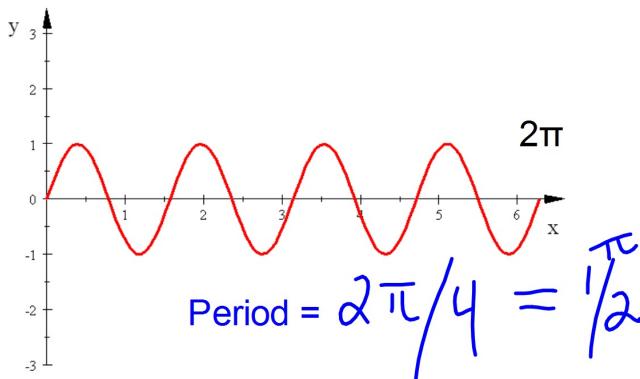
Now Do Part 2 of the Exploration.

Remember:

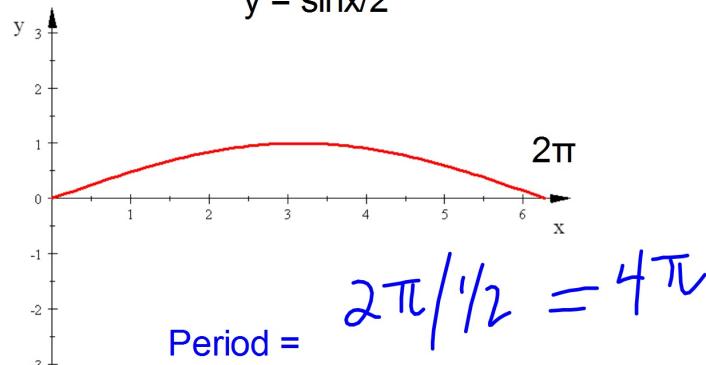
$$\text{Period} = \frac{\text{distance between two points}}{\# \text{ cycles between those two points}}$$



$$y = \sin 4x$$



$$y = \sin x/2$$



$\sin bx$	Period
$\sin x$	$2\pi$
$\sin 2x$	$\frac{2\pi}{2} = \pi$
$\sin 4x$	$\frac{2\pi}{4} = \frac{\pi}{2}$
$\sin \frac{x}{2}$	$\frac{2\pi}{1/2} = 4\pi$

$$y = \sin bx$$

$$\text{Period} = \frac{2\pi}{b}$$

$$\text{amp.} = |a|$$

Find the amplitude and period for each Sine Function:

1.  $y = 7 \sin 5x$

Amplitude =  $a = 7$

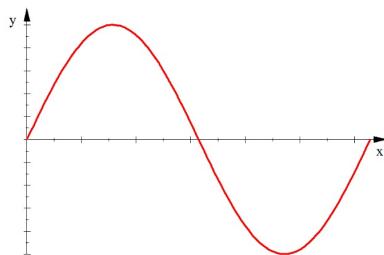
Period =  $\frac{2\pi}{5}$

2.  $y = -4 \sin \frac{x}{3}$

Amplitude =  $a = 4$

Period =  $\frac{2\pi}{1/3} \cdot \frac{3}{1} = 6\pi$

## The Parent Function: $y = \sin x$



Period =  $2\pi$

Amplitude = 1

Eq of Midline:  $y = 0$

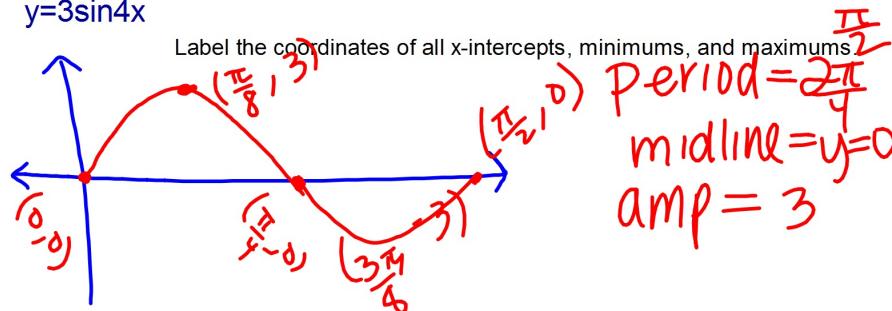
## $y = a \sin bx$

a = Amplitude

$a < 0$  is an x-axis reflection (upside down)

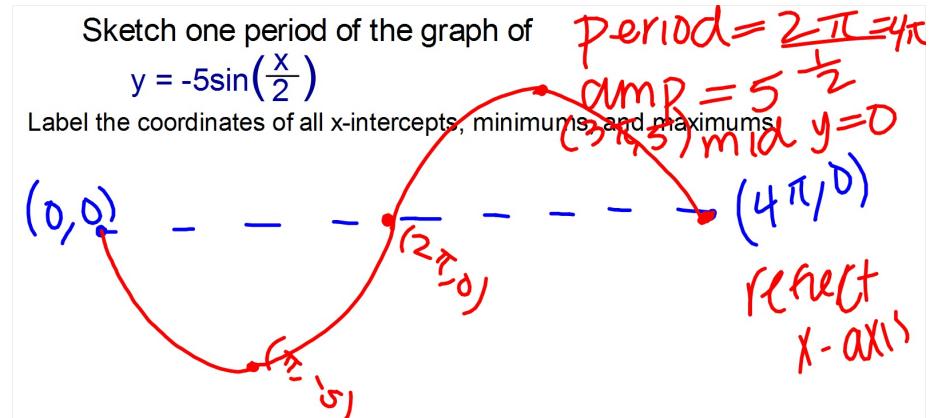
$$b: \longrightarrow \text{Period} = \frac{2\pi}{b}$$

Sketch one period of the graph of  $y = 3 \sin 4x$



Sketch one period of the graph of  $y = -5 \sin(\frac{x}{2})$

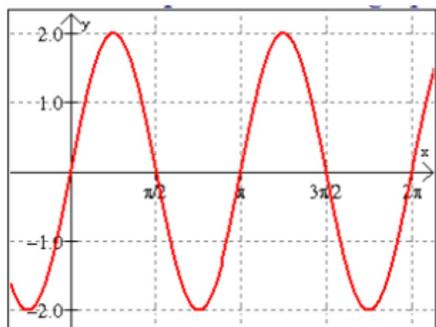
Label the coordinates of all x-intercepts, minimums, and maximums



Using  $y = \text{asin}bx$

1. To find the value of  $a$  on a given graph all you need to know is the amplitude.
2. If the cycle in your graph starts on the midline and goes up to a maximum  $a$  is Positive
3. If the cycle in your graph starts on the midline and goes down to a minimum  $a$  is Negative

Write the equation of this sine function.



$$y = \text{asin}bx$$

$$y = 2 \sin x$$

$$\text{Period} = \frac{2\pi}{b}$$

$$a = 2$$

$$b = \frac{2\pi}{\text{Period}}$$

$$\frac{2\pi}{2\pi} |$$

Using  $y = \text{asin}bx$

$$\text{Period} = \frac{2\pi}{b}$$

$$\text{Solving for } b \text{ you get: } b = \frac{2\pi}{\text{Period}}$$

Therefore, to find the value of  $b$  given a graph all you need to know is the period.

Write the equation of this sine function.

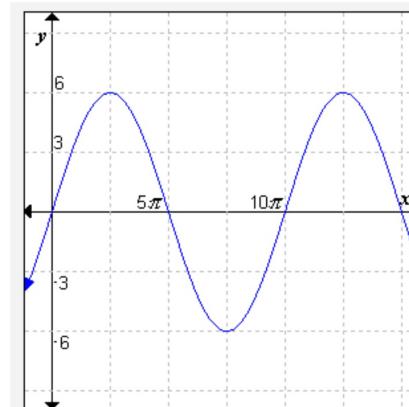
Write the equation of this sine function.

$$y = \text{asin}bx$$

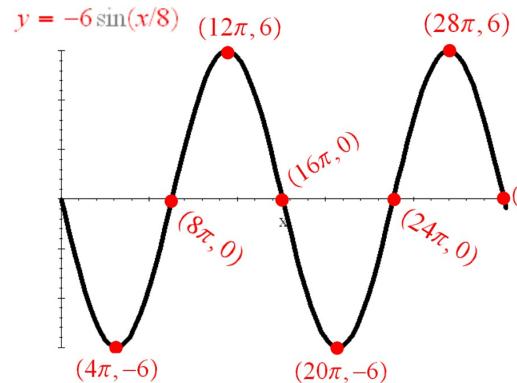
$$a = 6$$

$$b = \frac{2\pi}{10\pi} = \frac{1}{5}$$

$$y = 6 \sin\left(\frac{1}{5}x\right)$$



Write the equation of this sine function.



$$y = a \sin bx$$

$$a = b$$

$$b = \frac{2\pi}{16\pi} = \frac{1}{8}$$

$$y = a \sin bx$$

$$a = 5$$

$$y = -5 \sin\left(\frac{bx}{7}\right)$$

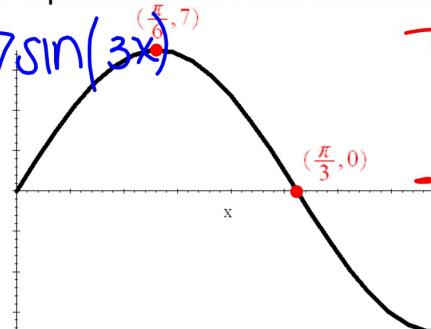
$$\text{Period} = \frac{7\pi}{3} \cdot \frac{4}{1} = \frac{28\pi}{3}$$

$$= \frac{7\pi}{3}$$

$$= \frac{2\pi}{\frac{7\pi}{3}} = \frac{6}{7}$$

Write the equation of this sine function.

$$y = 7 \sin(3x)$$



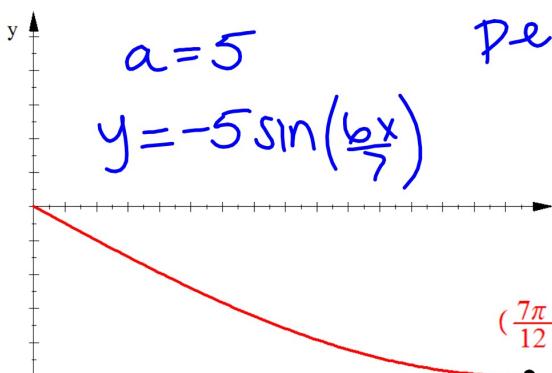
$$y = a \sin bx$$

$$b = \frac{2\pi}{1/3} = 6\pi$$

$$= \frac{2\pi}{3}$$

$$= \frac{2\pi}{3} a =$$

Write the equation of this sine function.



$$y = a \sin bx$$

$$\text{Period} = \frac{7\pi}{3} \cdot \frac{4}{1} = \frac{28\pi}{3}$$

$$= \frac{7\pi}{3}$$

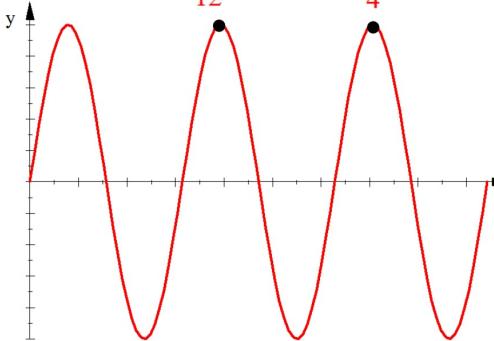
$$= \frac{2\pi}{\frac{7\pi}{3}} = \frac{6}{7}$$

Write the equation of this sine function.

$$y = a \sin bx$$

$$(\frac{5\pi}{12}, 4)$$

$$(\frac{3\pi}{4}, 4)$$



You can now finish Hwk #21

Sec 13-4

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Problems 13, 14, 22, 23, 27, 31, 32, 42

for #'s 22, 23, 27 label the coordinates of ALL Max's, Min's, and x-int

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