Simplify each. Do NOT use a calculator for these problems.

1. 
$$4+2(4^{2}-11)^{2}$$
  
 $4+2(16-11)^{2}$   
 $4+2(5)^{2}$   
 $4+2(5)^{2}$   
 $4+50$   
 $=(54)^{2}$ 

2. 
$$17-2[1+(5-2)^2]+8$$

$$17-2[1+9]+8$$

$$17-20+8$$

$$-3+8$$

3. 
$$27[5^{2} \div (4^{2} + 3^{2}) + 2]$$

$$27[5^{2} \div (16+9) + 2]$$

$$27[5^{2} \div 25 + 2]$$

$$27[25 \div 25 + 2]$$

$$27[1 + 2]$$

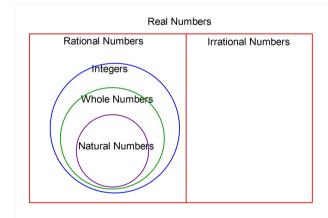
$$27(3)$$

Translate the following phrases into Algebraic Expressions.

4. Three times a number, increased by seventeen.

5. Triple the product of d and 2.

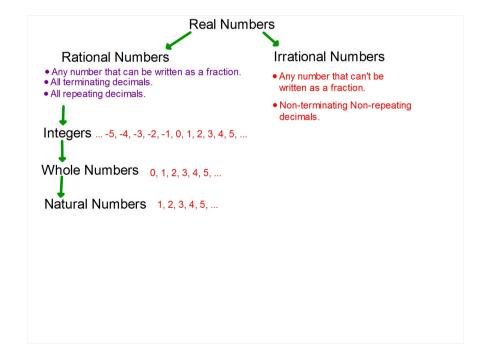
$$3(d\cdot2)$$
  
 $3(2d)$ 



Ni R R Iri In W

## Section 1.3 - Exploring Real Numbers

Each of the graphs below shows a set of numbers on a number line. The number below a point is its coordinate on the number line.





a. 1.73



b. 
$$\sqrt{7}$$
 2.645751311...

d. 
$$\frac{87}{3}$$
 P W N  $\frac{87}{29}$   $\frac{1}{1}$ 

h. 
$$0.22\overline{2}$$
  $0.\overline{2}$ 

Absolute Value:

Distance from zero on a number line.

Absolute value of a number gives a positive result because DISTANCE IS ALWAYS A POSITIVE QUANTITY.

$$|x| = \begin{cases} x \text{ if } x \ge 0\\ -x \text{ if } x < 0 \end{cases}$$

## Symbol for Absolute Value:

Х

$$3. |5+|-3+7| = 9$$

$$4. |4-|-2|$$

$$4 - |-2|$$

$$4 - |-2|$$

Absolute Value is a grouping symbol like parentheses. You must simplify inside before doing the absolute value.

Absolute Value is also a math operation

Evaluate each expression for E = -4 F = 6 G = -2

$$\frac{-3|G|+E^2}{-(24-4)^2}$$

Every morning I've come to work there has been a puddle on the sidewalk.

My conjecture: It has rained every night

Is my conjecture true?

You can prove a conjecture is false if you can find just one example that shows there is a time when it is

this is called a false:

COUNTEREXAMPLE

Conjecture: A guess based on many observations.

(an educated guess)

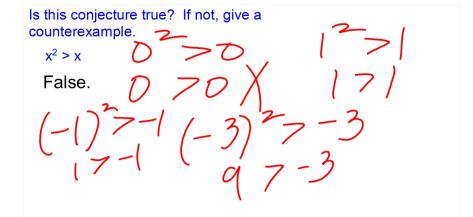
Every morning I've come to work there has a puddle on the sidewalk.

My conjecture: It has rained every night

My conjecture is: any number multiplied by 2 produces a larger number than what you started with.

Algebraically my conjecture would be stated: 2x > x

Is this conjecture true? If not, give a counterexample False.



Hwk #5 -

pages 20-22

problems 1-3, 6, 9, 10, 22, 59, 60, 62, 73

IXL #2 - A.8 & I.7 due Friday at 6pm!

Is this conjecture true? If not, give a counterexample.  $\frac{x}{2} < x$  False.  $-\frac{1}{2} < 1$  False.  $-\frac{1}{2} < 1$