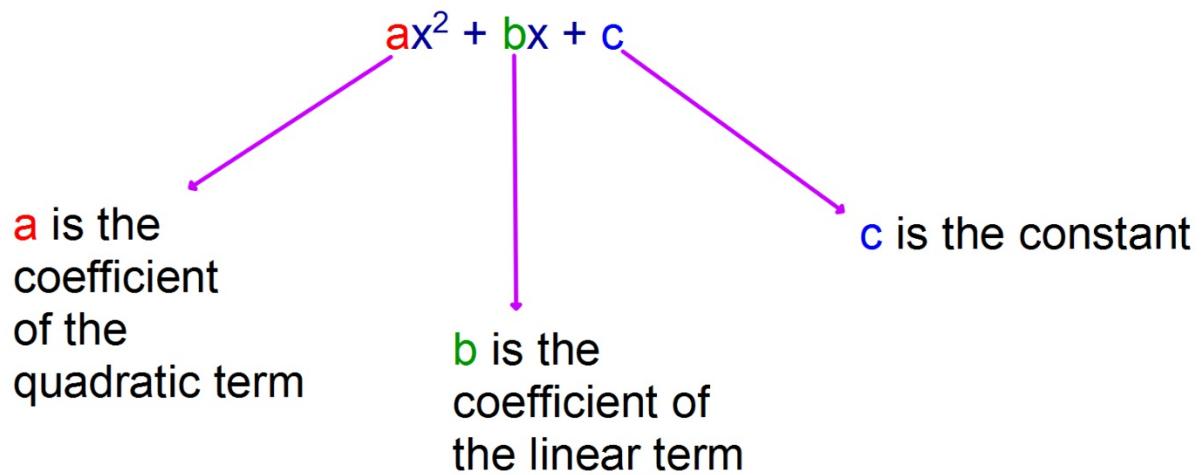
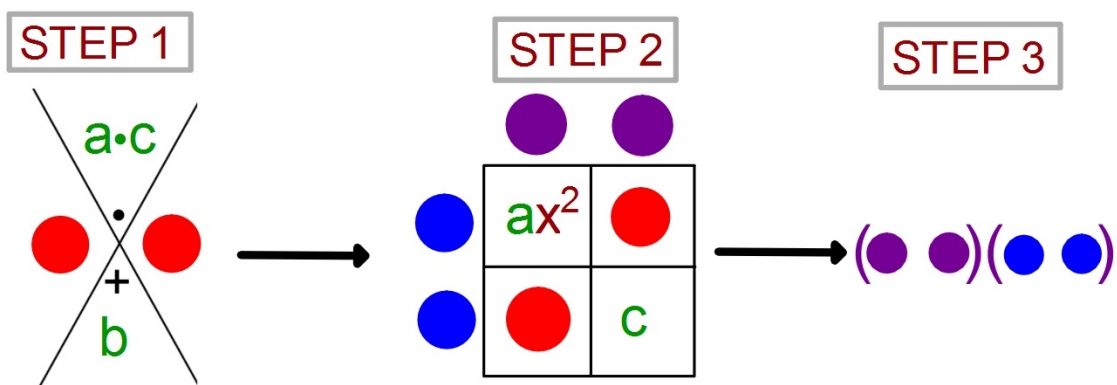


Standard Form of a Quadratic:



Factoring Trinomials: $ax^2 + bx + c$

$x^2 + 4x - 12 = (x + 6)(x - 2)$



Factor each trinomial into two binomials.

1. $4g^2 + 8g - 21$

$(2g+7)(2g-3)$

~~-84
 14
 8~~

~~$-b$ $2g$
 3~~

	$2g$	$+7$
	$4g^2$	$14g$
	$-6g$	-21

2. $6Q^2 - 17Q + 12$

~~72
 -9 -8
 -17~~

	$2Q$	-3
$3Q$	$6Q^2$	$-9Q$
4	$-8Q$	12

$(2Q-3)(3Q-4)$

3. $8m^2 + 15m + 7$

~~$$\begin{array}{cc} 56 & \\ 8 & 7 \\ 15 & \end{array}$$~~

$m + 1$
 $8m$
 $+$
 7

$4m^2$	$8m$
$7m$	7

 $(8m + 7)(m + 1)$

Factor this trinomial:

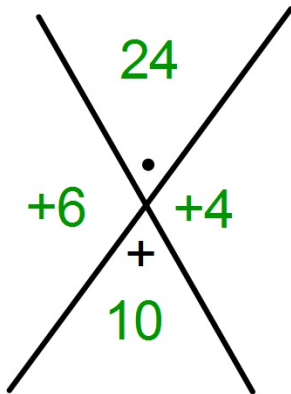
~~$$\begin{array}{r} 24 \\ 6 \times 4 \\ \hline 10 \end{array}$$~~

$$x^2 + 10x + 24$$

$$(x+6)(x+4)$$

$$x^2 + 10x + 24 = (x + 6)(x + 4)$$

Look at the "X" then look at the factors, what do you notice?

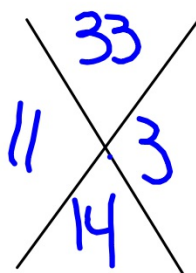


This always happens when the leading coefficient is 1

In the future when the leading coefficient is 1 you can skip the "Box" and go straight from the "X" to the Factors.

Factor completely: $x^2 + 14x + 33$

Because $a=1$ you can skip the "BOX".

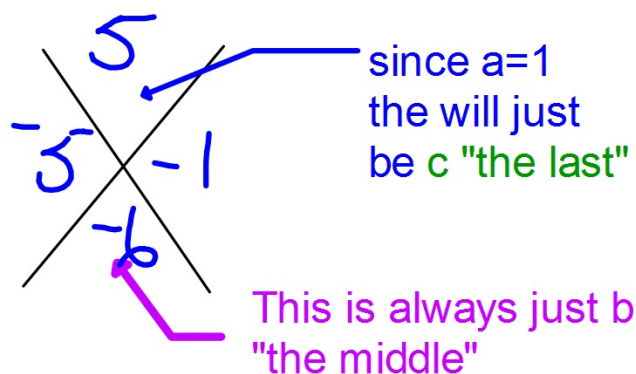


$$\longrightarrow (x + 11)(x + 3)$$

Factor completely: $x^2 - 6x + 5$

because $a=1$ you can skip the box.

because $a=1$ you may also be able to skip the **X**



$x^2 - 6x + 5$
since $a=1$ these will
always just be the variables

$$= (\square \bigcirc)(\square \bigcirc)$$

To find these just ask yourself:
"what multiplies to the last
and adds to the middle"

Factor each:

1. $y^2 - 14y + 48$

$(y-6)(y-8)$

2. $c^2 + 7c + 12$

$(c+4)(c+3)$

6. $w^2 - 19w + 84 = (w - 7)(w - 12)$

7. $20E^2 - 13E + 2$ $(5E - 2)(4E - 1)$

8. $18a^2 - 23a - 6$

$\begin{array}{r} 4 \\ -108 \\ -27 \\ -27 \end{array}$

$\begin{array}{r} 9a \\ + \\ 2 \end{array}$

$18a^2$	$-27a$
$4a$	-6

 $(9a+2)(2a-3)$

9. $4Q^2 - 13Q + 10$

$\begin{array}{r} 40 \\ -8 \\ -5 \\ -13 \end{array}$

$\begin{array}{r} Q \\ - \\ 2 \end{array}$

$4Q^2$	$-5Q$
$-8Q$	10

 $(Q-2)(4Q-5)$

10. $20y^2 + 36y + 9$

11. $15k^2 - 8k - 12$

Factoring out GCF first.

You should always look for a GCF before you do any other kind of factoring!

Factor completely.

$$6k^2 - 18k - 324 \quad 6(k^2 - 3k - 54)$$

$$\begin{array}{r} \diagup -54 \diagdown \\ 6 \quad \quad -9 \\ \diagdown -3 \diagup \end{array}$$

	k	-9
k	k^2	$-9k$
6	$6k$	-54

$$6(k-9)(k+6)$$

Factor completely.

$$15x^2 + 35x - 30 \quad 5(x+3)(3x-2)$$

$$\begin{array}{r} -18 \\ 9 \end{array} \begin{array}{r} -2 \\ 7 \end{array}$$

	x	$+$	3
$3x$	$3x^2$		$9x$
$\frac{1}{2}$	$-2x$		-6

Factor completely.

a. $16x^2 - 64x + 28$

Factor completely.

b. $4R^2 - 28R - 240$

IXL #11 -

Z.1 & Z.10 due Saturday, April 20th by 4pm!