

Name: _____ Hour: _____ Date: _____

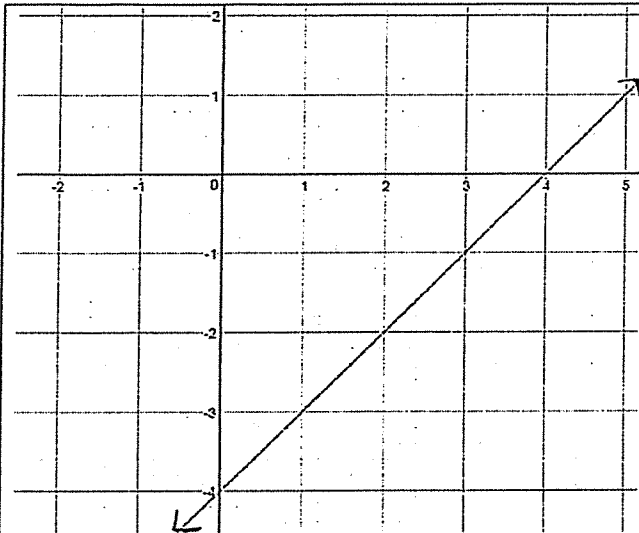
Key

End Behavior Practice I

For each graph do the following: (a) Determine if the relation represents a function and explain why/why not

(b) State the domain and range using interval notation

(c) Using the proper form, describe end behavior



Function? YES or NO

Explanation: *Each x has exactly 1 y*

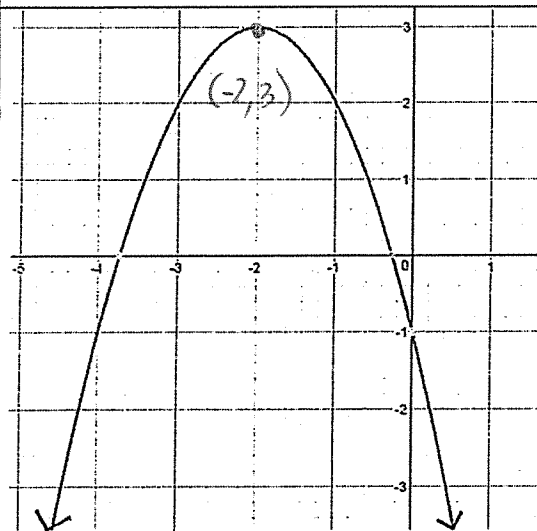
Domain: $(-\infty, \infty)$

Range: $(-\infty, \infty)$

End Behavior:

Left: As x approaches $-\infty$, y approaches $-\infty$.

Right: As x approaches ∞ , y approaches ∞ .



Function? YES or NO

Explanation: *Each x has exactly 1 y*

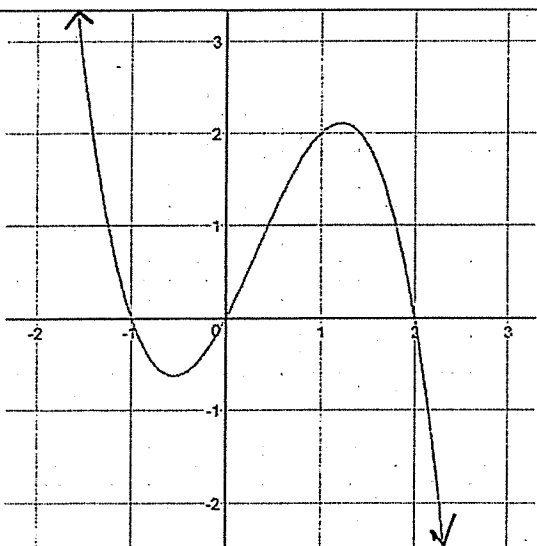
Domain: $(-\infty, \infty)$

Range: $(-\infty, 3]$

End Behavior:

Left: As x approaches $-\infty$, y approaches $-\infty$.

Right: As x approaches ∞ , y approaches $-\infty$.



Function? YES or NO

Explanation: *Each x has exactly 1 y*

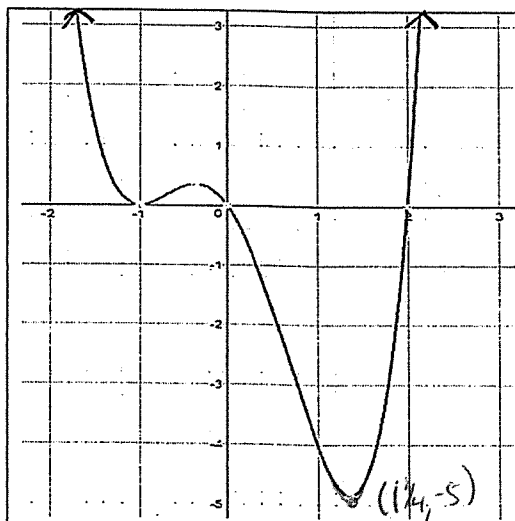
Domain: $(-\infty, \infty)$

Range: $(-\infty, \infty)$

End Behavior:

Left: *As $x \rightarrow -\infty$, $y \rightarrow \infty$*

Right: *As $x \rightarrow \infty$, $y \rightarrow -\infty$*



Function? YES or NO

Explanation: Each x has exactly 1 y

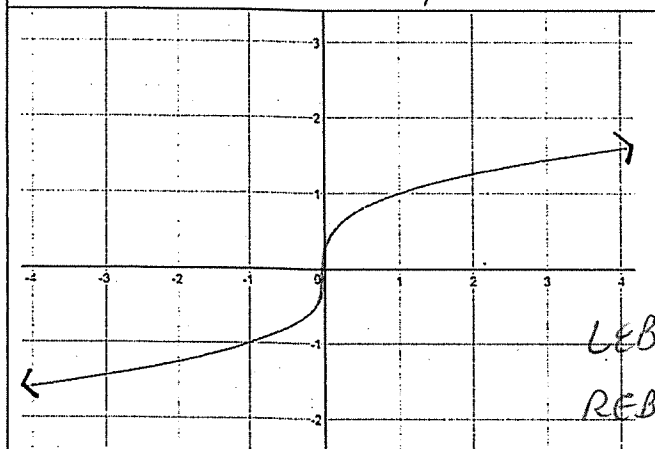
Domain: $(-\infty, \infty)$

Range: $[-5, \infty)$

End Behavior:

Left: As $x \rightarrow -\infty$, $y \rightarrow \infty$

Right: As $x \rightarrow \infty$, $y \rightarrow \infty$



Function? YES or NO

Explanation: Each x has exactly 1 y

Domain: $(-\infty, \infty)$

Range: $(-\infty, \infty)$

End Behavior:

LEB: As $x \rightarrow -\infty$, $y \rightarrow -\infty$

REB: As $x \rightarrow \infty$, $y \rightarrow \infty$

SLOT Practice

DIRECTIONS: Factor each of the following quadratic polynomials. Remember, we have a SLOT quiz on Thursday!

1) $b^2 + 8b + 7$

~~$\begin{array}{r} 7 \\ 1 \end{array}$~~ $(b+1)(b+7)$

2) $n^2 - 11n + 10$

~~$\begin{array}{r} 10 \\ -1 \end{array}$~~ $(n-1)(n-10)$

3) $m^2 + m - 90$

~~$\begin{array}{r} -90 \\ 10 \end{array}$~~ $(m-9)(m+10)$

4) $n^2 + 4n - 12$

~~$\begin{array}{r} -12 \\ 6 \end{array}$~~ $(n+6)(n-2)$

5) $n^2 - 10n + 9$

~~$\begin{array}{r} 9 \\ -1 \end{array}$~~ $(n-1)(n-9)$

6) $b^2 + 16b + 64$

~~$\begin{array}{r} 64 \\ 8 \end{array}$~~ $(b+8)^2$