Find the equation of a LINEAR FUNCTION given : f(2) = 5 and f(-1) = 3

Given 
$$g = 2x^2 + 5x + 6$$

Find: the vertex, axis of symmetry and y rewrite it in vertex form

vertex (h, k) h2-22 - 4 For x boling it in intercept of the quadratic function then

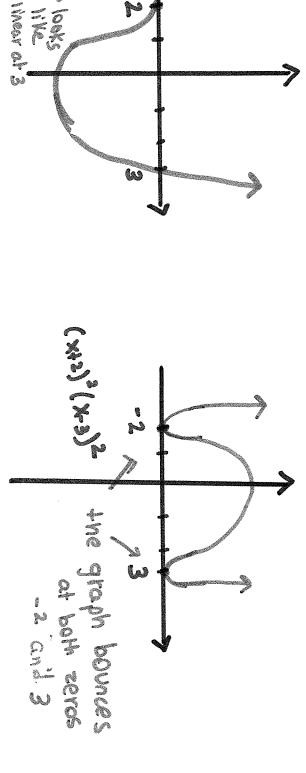
$$= 2(-\frac{5}{4})^{2} + 5(-\frac{5}{4}) + 6 \qquad \text{vertex}$$

$$= \frac{2(-\frac{5}{4})^{2} + 5(-\frac{5}{4})}{2\frac{5}{4}} + \frac{6}{6} \cdot 8 \qquad \text{vertex}$$

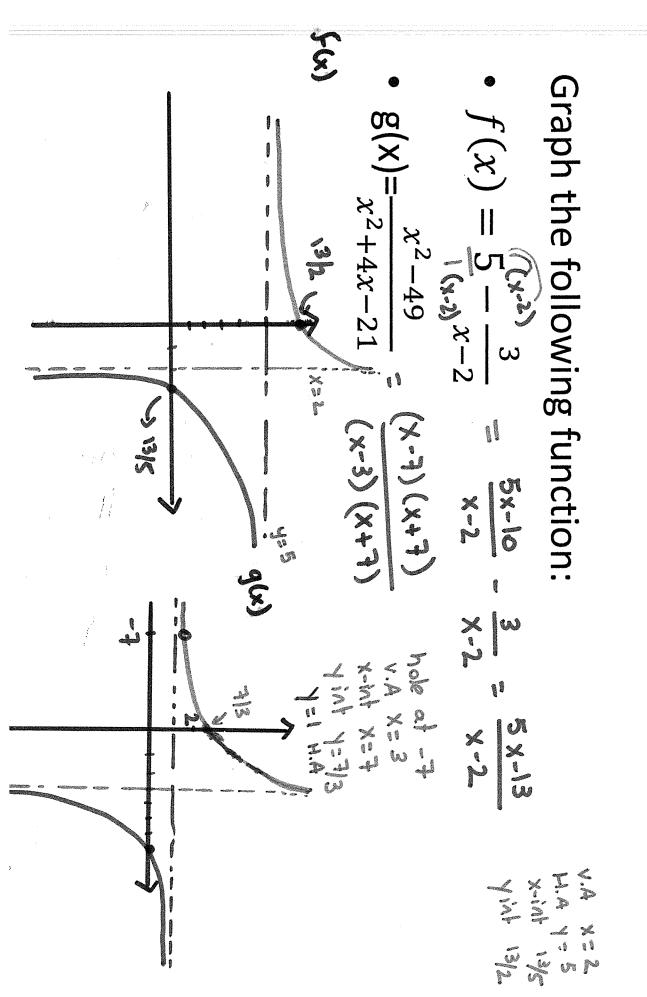
$$= \frac{25}{8} - \frac{25}{4} \cdot 2 + \frac{6}{12} \cdot 8 = \frac{73-50}{8} = \frac{23}{8} \quad \text{vertex} \quad \frac{1}{12} \times \frac{1}{2} \times$$

List the zeros and their multiplicity for the given functions, then graph them and

S state Right distric  $(f(x) = (x+2)^3(x-3)^3)$ compare their graphs  $-g(x) = (x+2)^2(x-3)^2$ W noth pick of w



PCSTA



# Station 5 (use 2 different methods)

Factor the Polynomial into its linear factors:

• Factor the Polynomial into its linear factors:

[Factor by grouping 
$$x^3 + 2x^2 - x - 2$$
 $x^3 + 2x^2 - x - 2$ 
 $x^3 + 2x^2 - x - 2$ 

Factors of  $x = \frac{1}{2}$ ,  $\frac{1}{2}$ 
 $\frac$ 

(x+2) (x2-1)

X 0

(x+2)(x-1)(x+1)

Use the remainder theorem to find the explain whether x - k is a factor or not remainder when f(x) is divided by x - k then

Find all of the real zeros of the given function. Identify each zero as rational or irrational

$$f(x) = x^4 - x^3 - 7x^2 + 5x + 10$$
given (x+1) and (x-2) are factors of f(x)

Hint use synthetic division twice

function. Use complete sentences and limit Describe the end behavior of the following notation:

scribe the end behavior of the following ction. Use complete sentences and limit ration: 
$$f(x) = -2x^3 + 3x + 5$$

$$= -2x^3 + 3x$$